

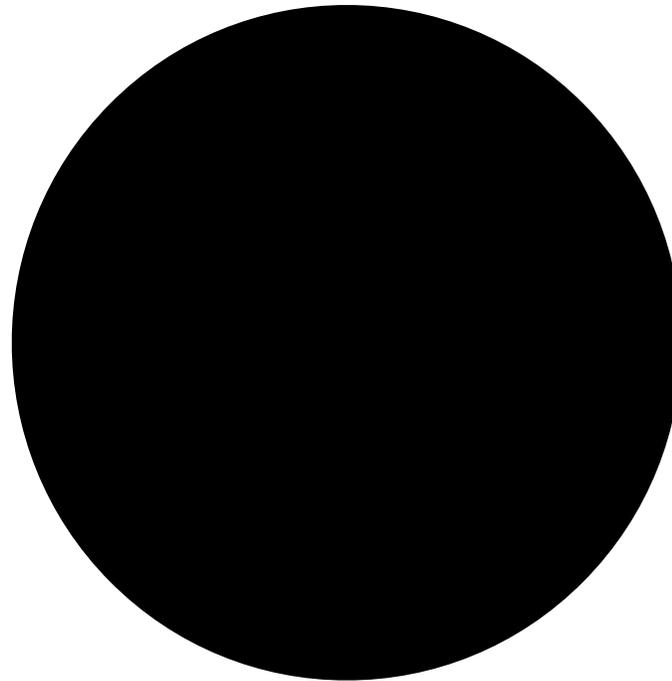


Quickly before we start.....

My 2ct. on Image Processing

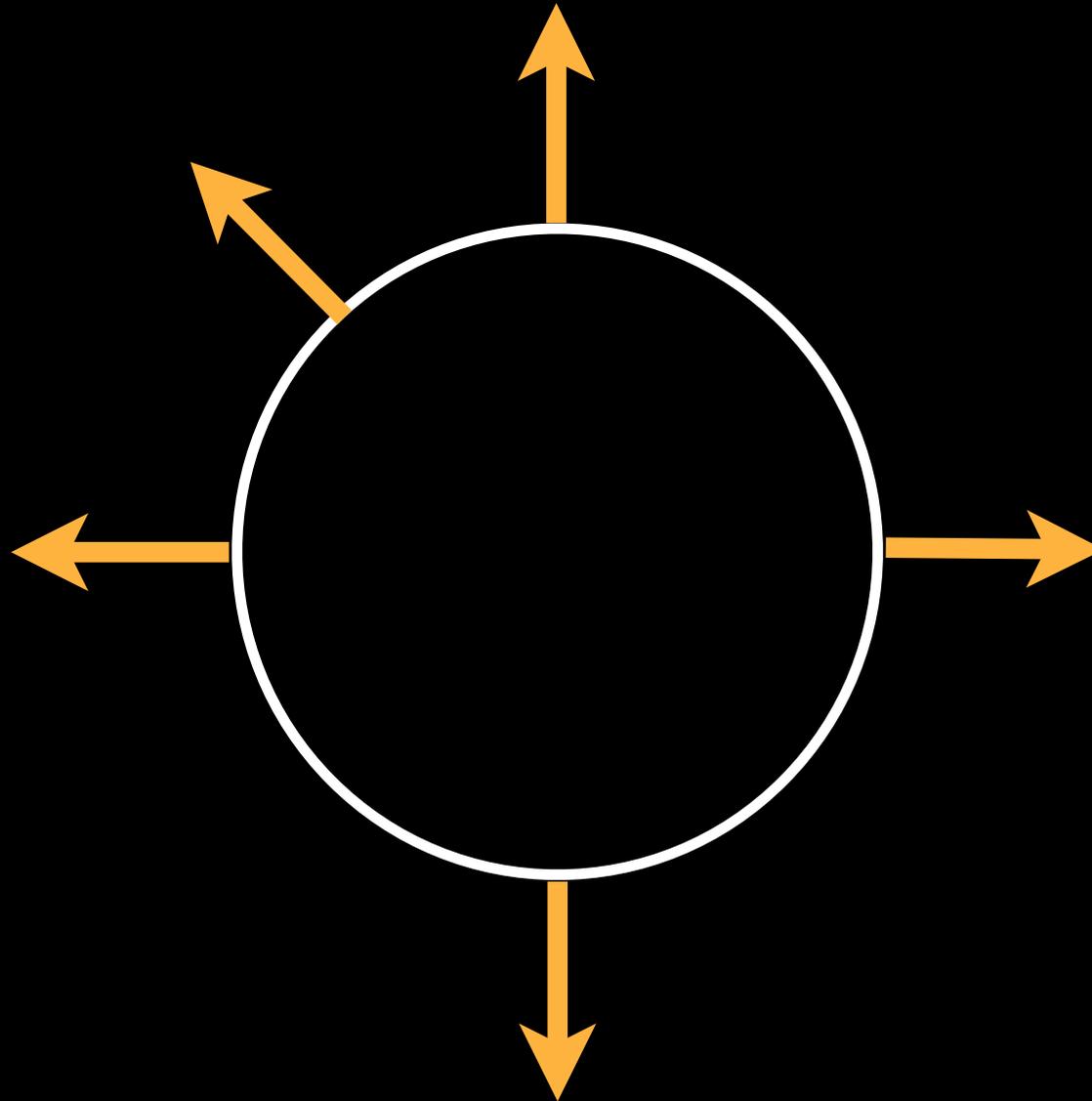
# fast-hough-transformation for circles

(or: how to computationally fast turn a black circle into a white spot)



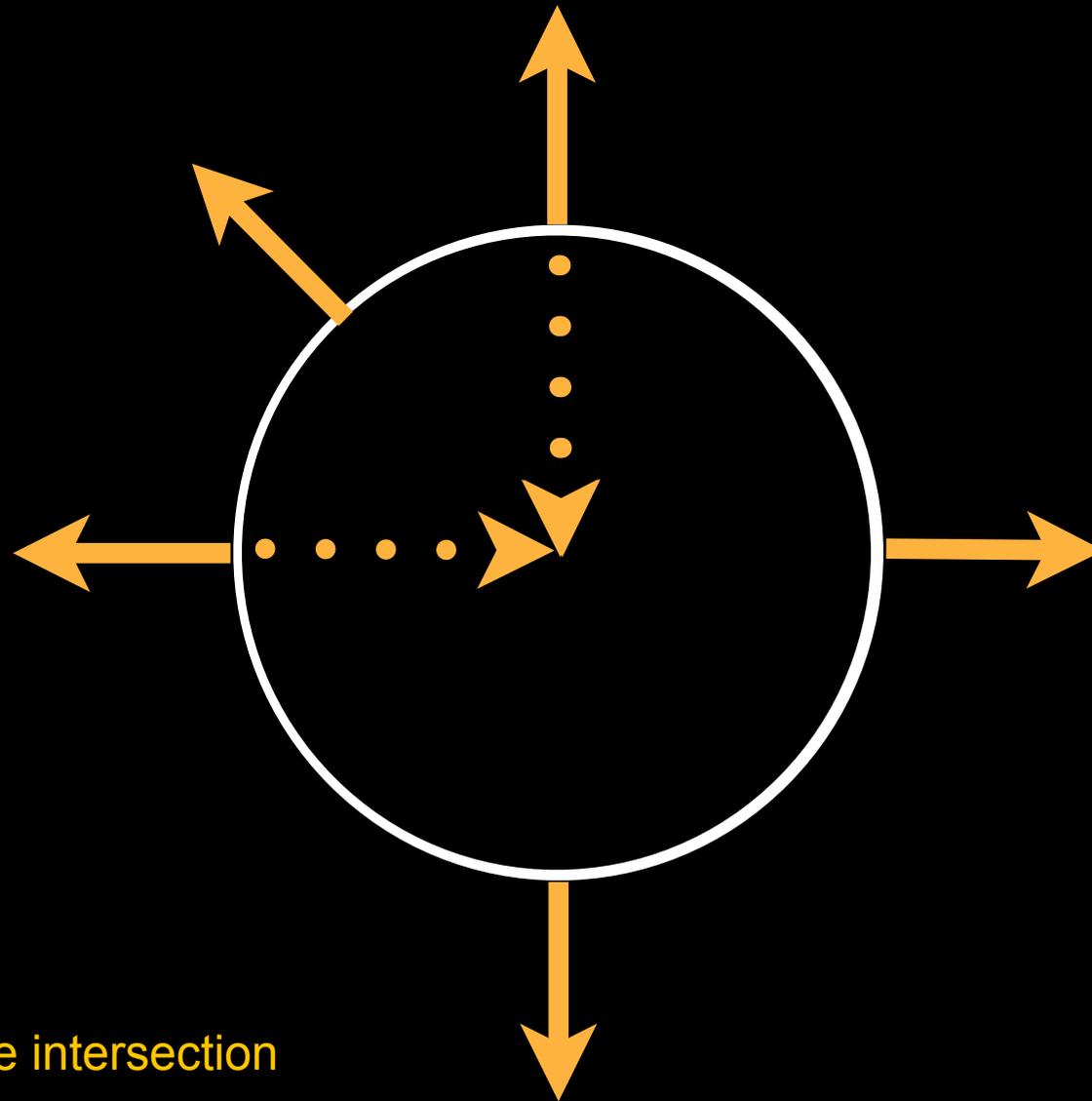
# Compute brightness gradient

Gives you surface normals



# If you know the radius already:

Walk for one radius length along opposite direction and you're at the center



Otherwise: compute intersection



Mark the endpoints and you're  
done



or just average the vectors

Computational effort:

Compute gradient

Threshold surface normals

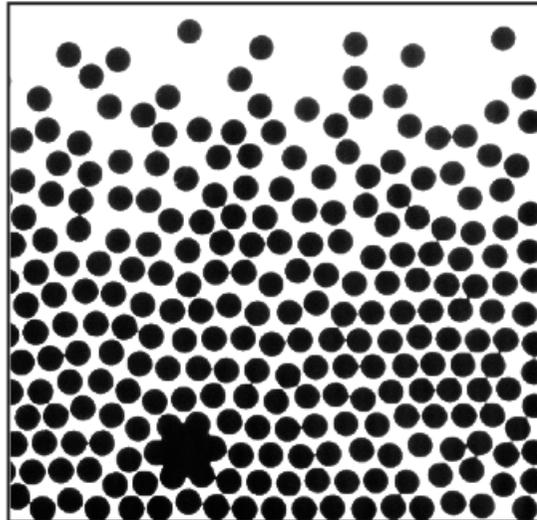
Multiply surface normals by radius

Average computed centers

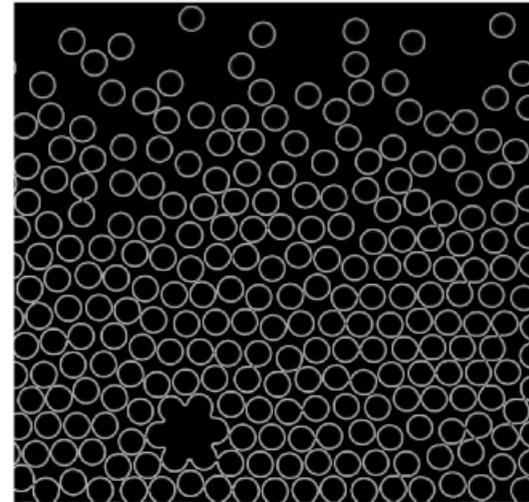
Hundreds of Megapixel-Frames per Second on Desktop PC from 2010

# Real World Example

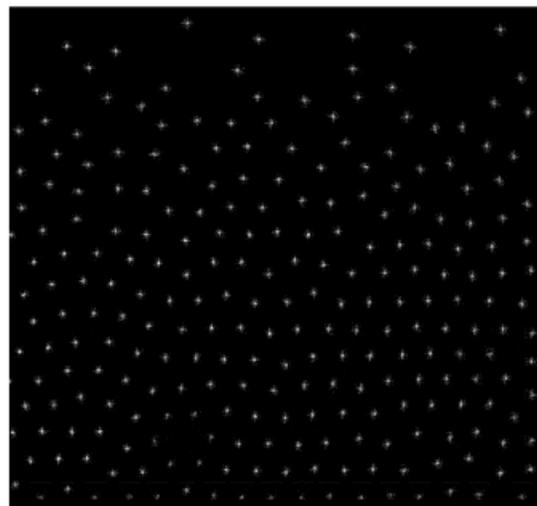
Camera Image



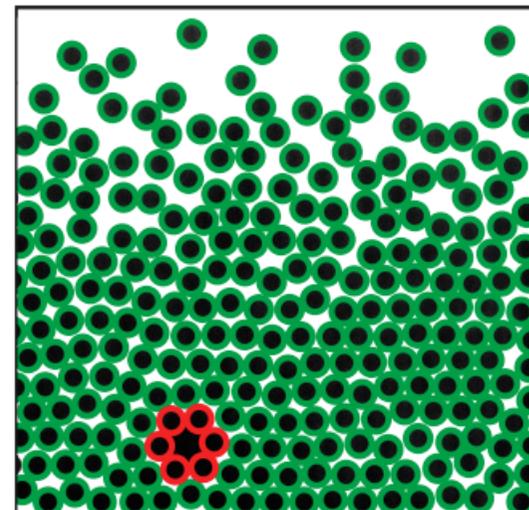
abs(Gradient)



Hough



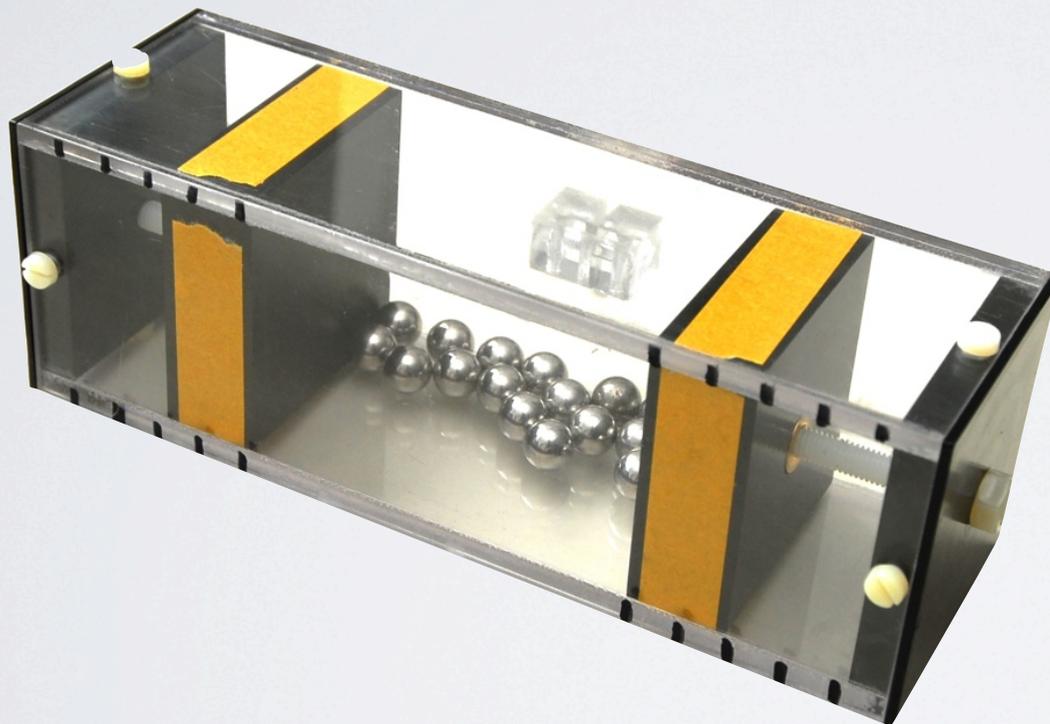
Identified Particles



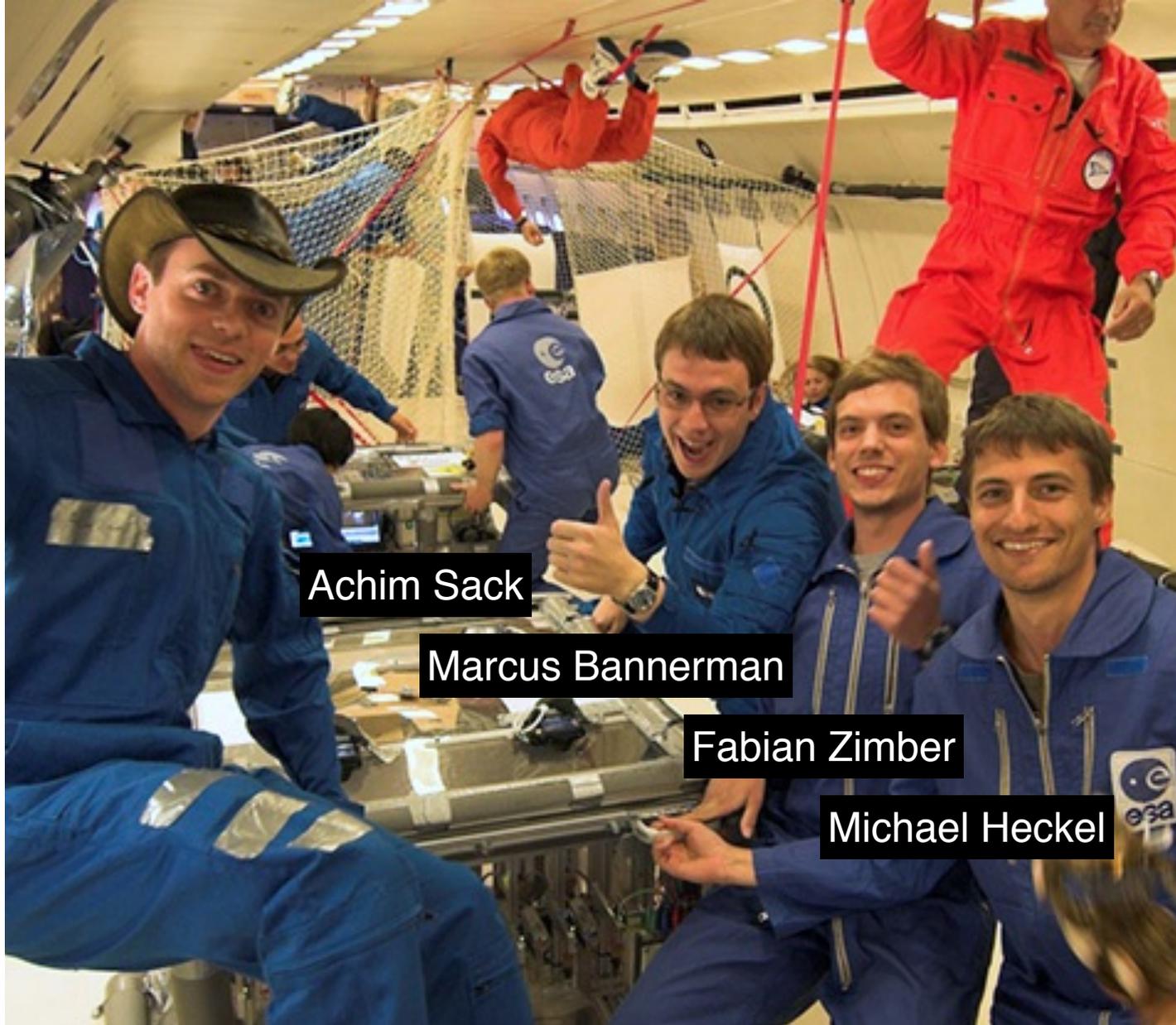


And now the real talk

# Granular Dampers in Microgravity



M. N. Bannerman, **J. E. Kollmer**, A. Sack, M. Heckel, P. Mueller, and T. Pöschel

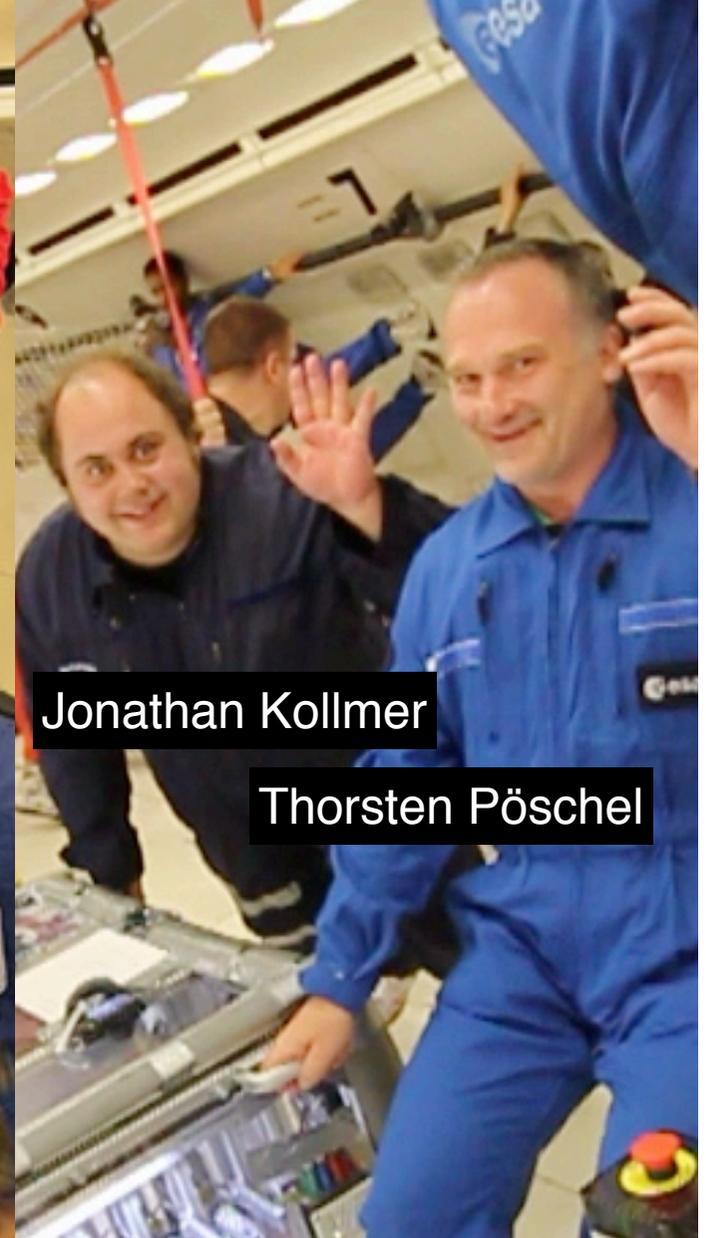


Achim Sack

Marcus Bannerman

Fabian Zimmer

Michael Heckel



Jonathan Kollmer

Thorsten Pöschel

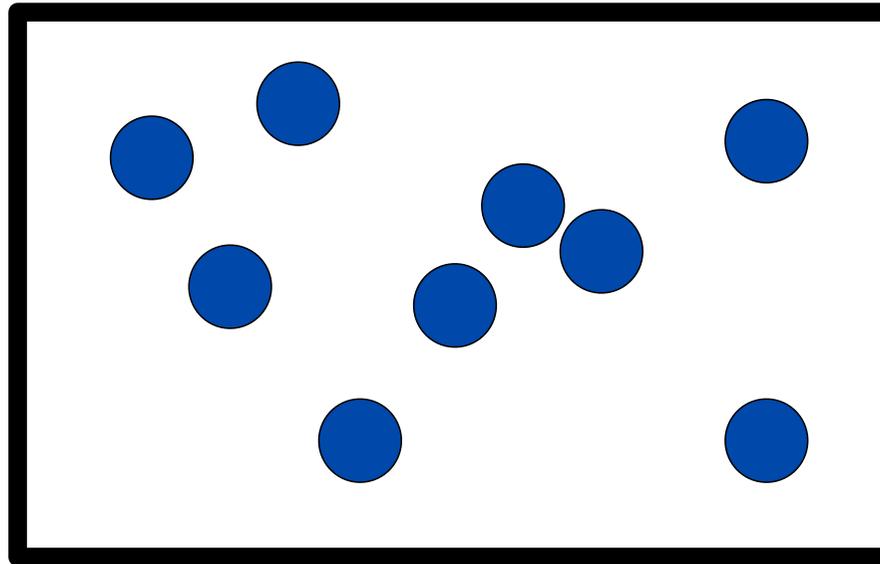


FRIEDRICH-ALEXANDER  
UNIVERSITÄT  
ERLANGEN-NÜRNBERG



Institute for  
Multiscale Simulation of  
Particulate Systems

# Granular Dampers



+ no anchor required

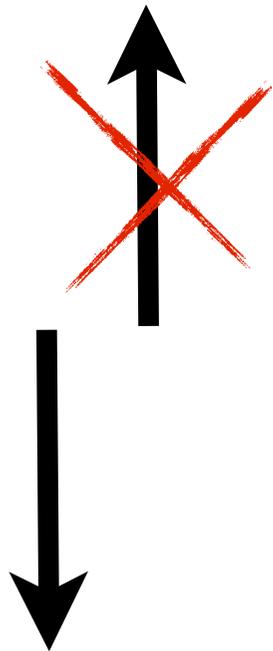
+ extremely simple

+ slow aging

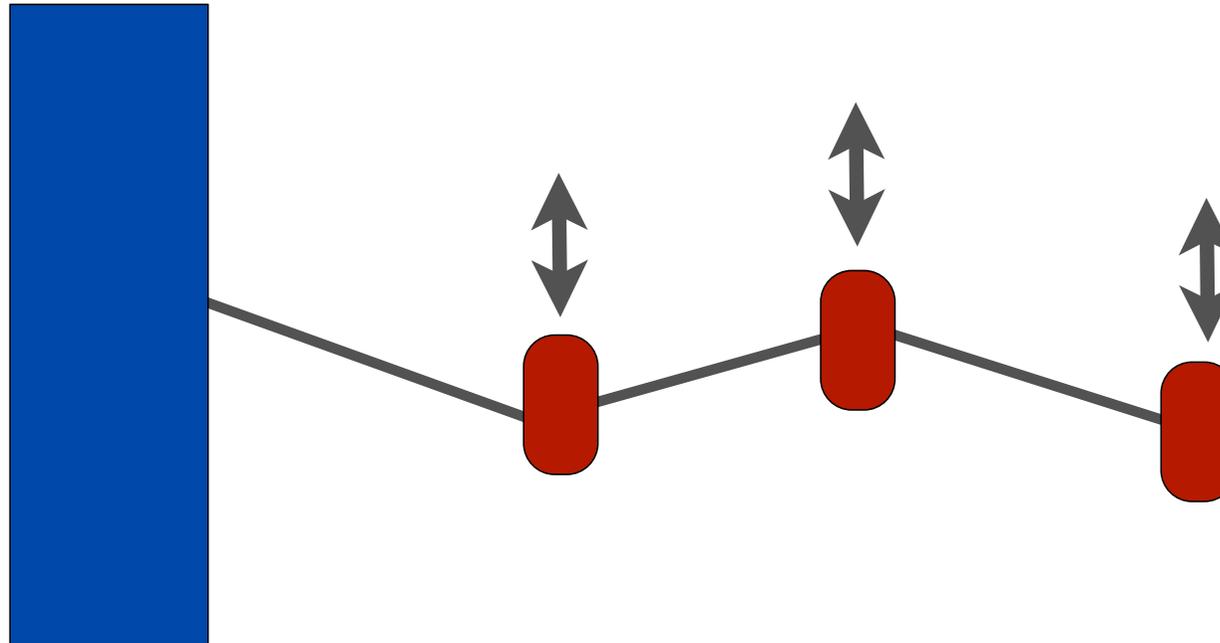
+ weak dependence on temperature

- lacks good model

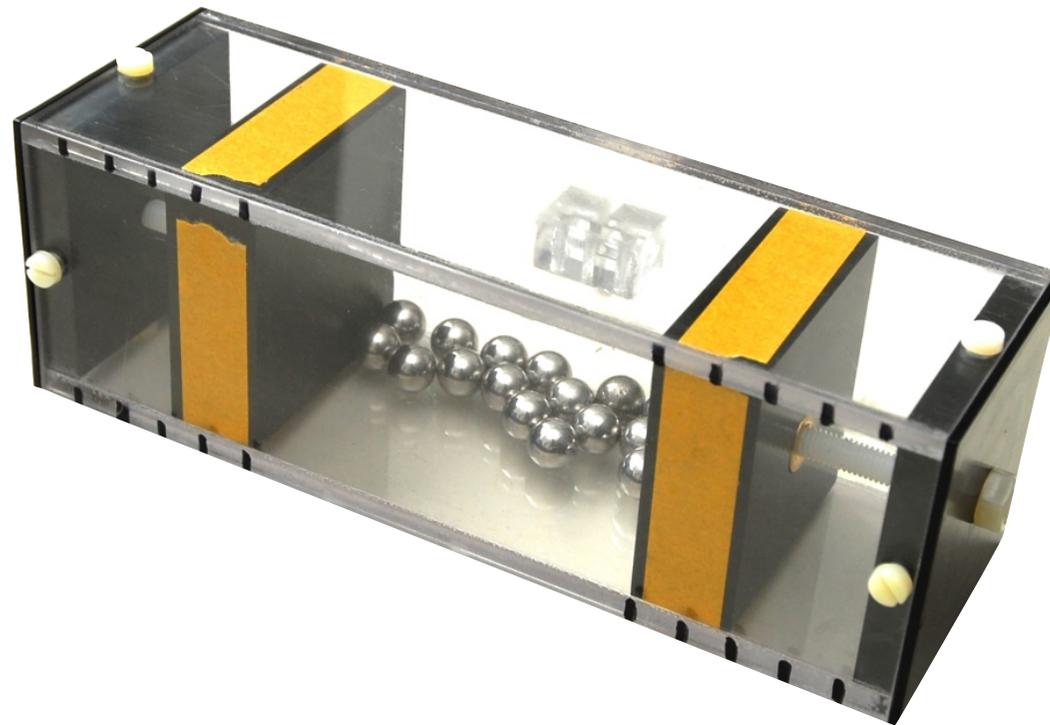
# Granular Dampers are efficient when strong forcing: Dead-Blow Hammer



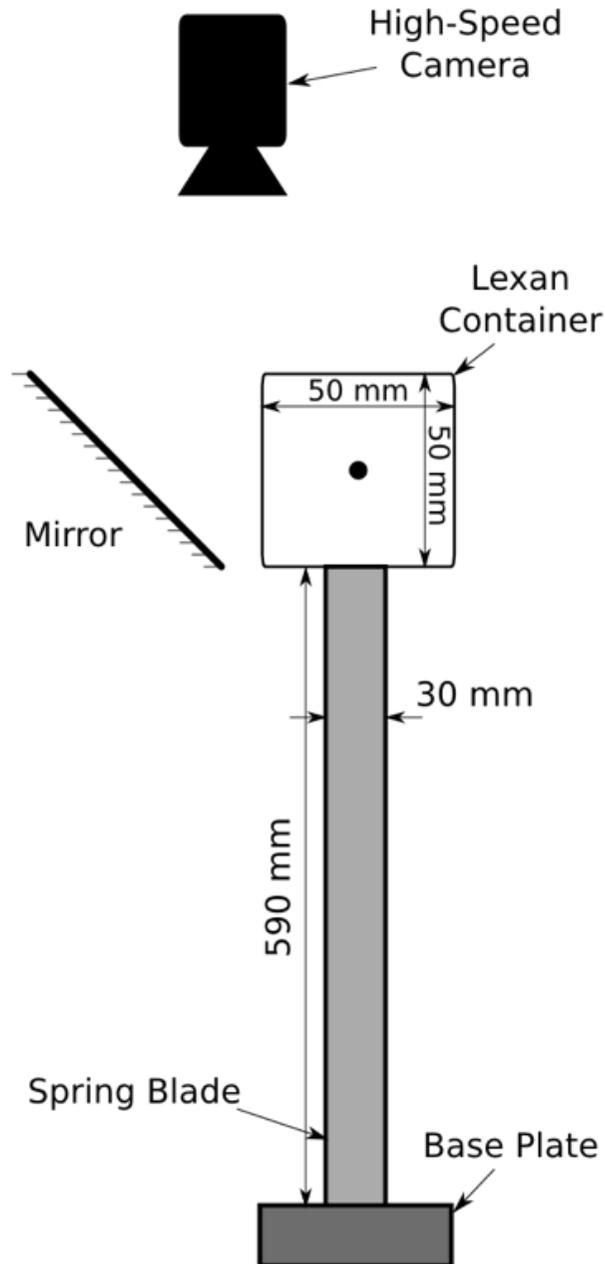
## or $g$ is low: Satellite Antenna



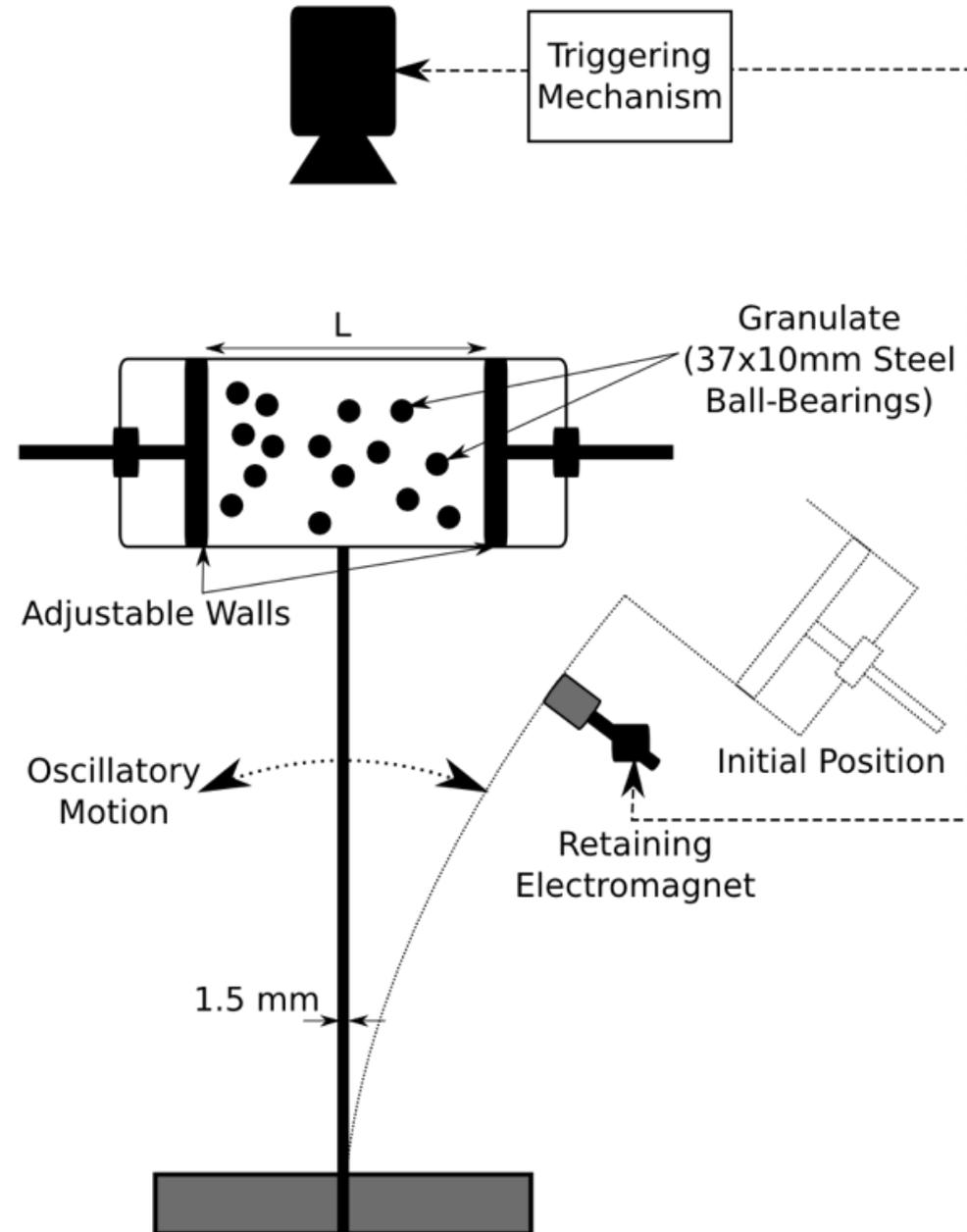
# $\mu\text{g}$ experiment



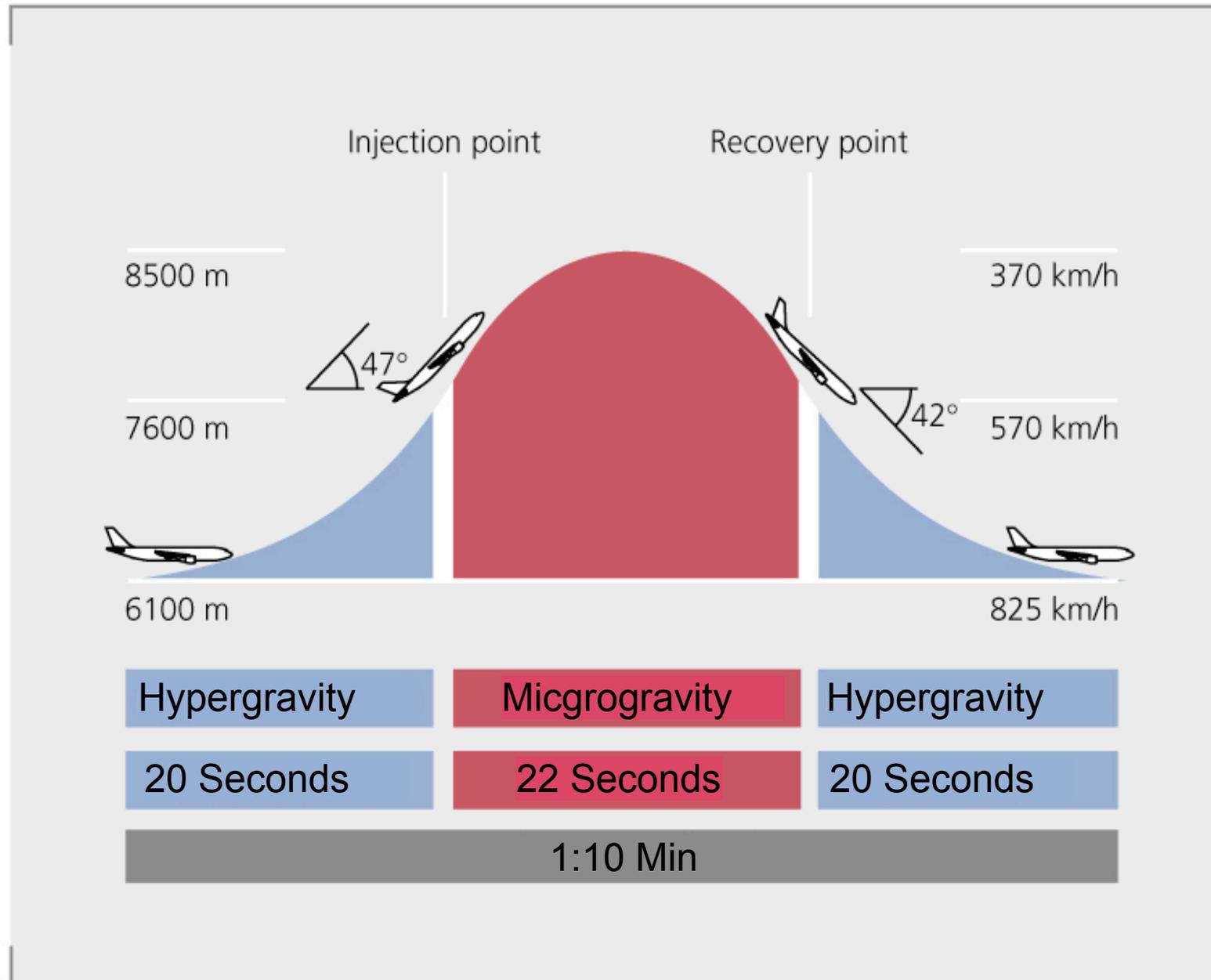
### Front View



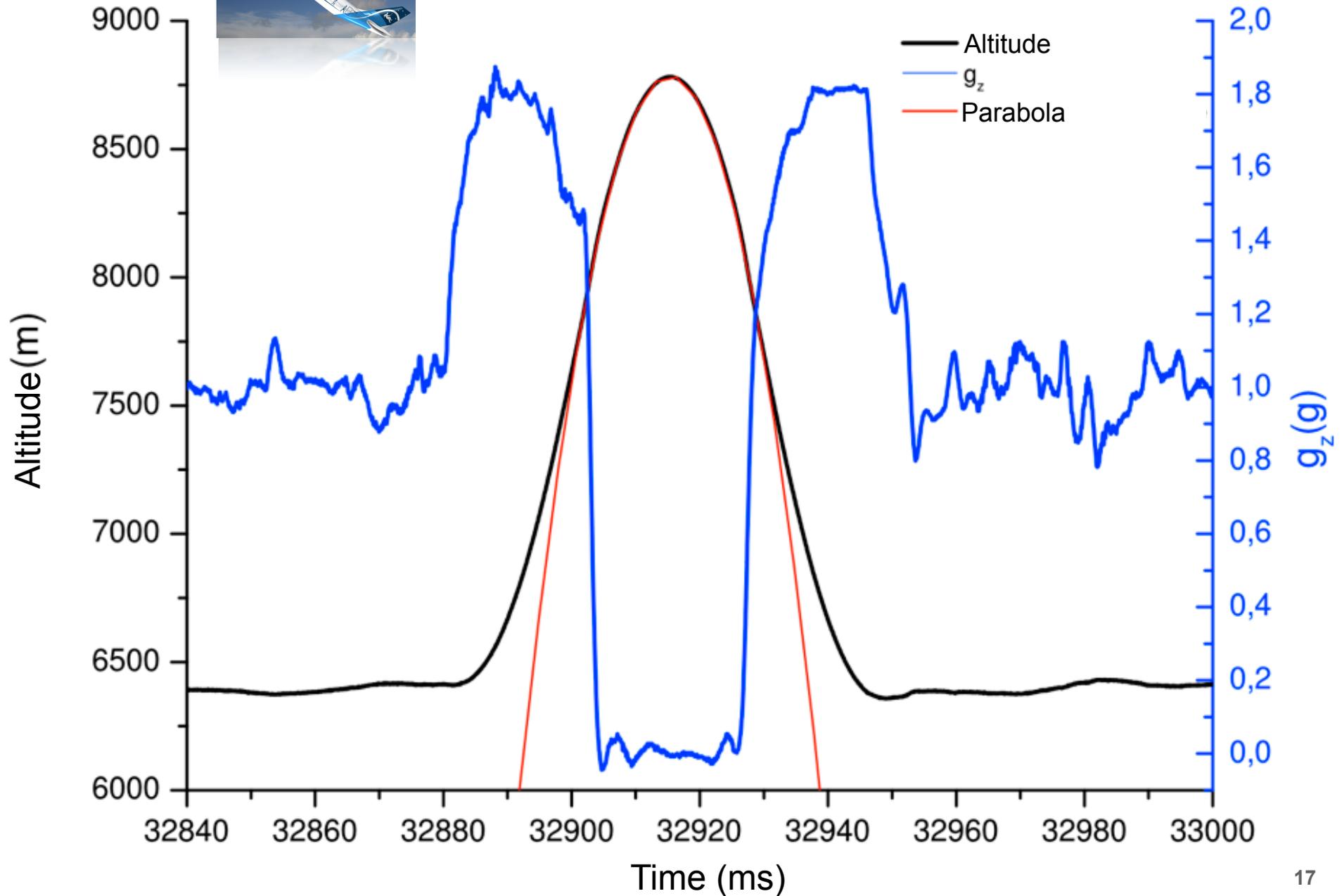
### Side View



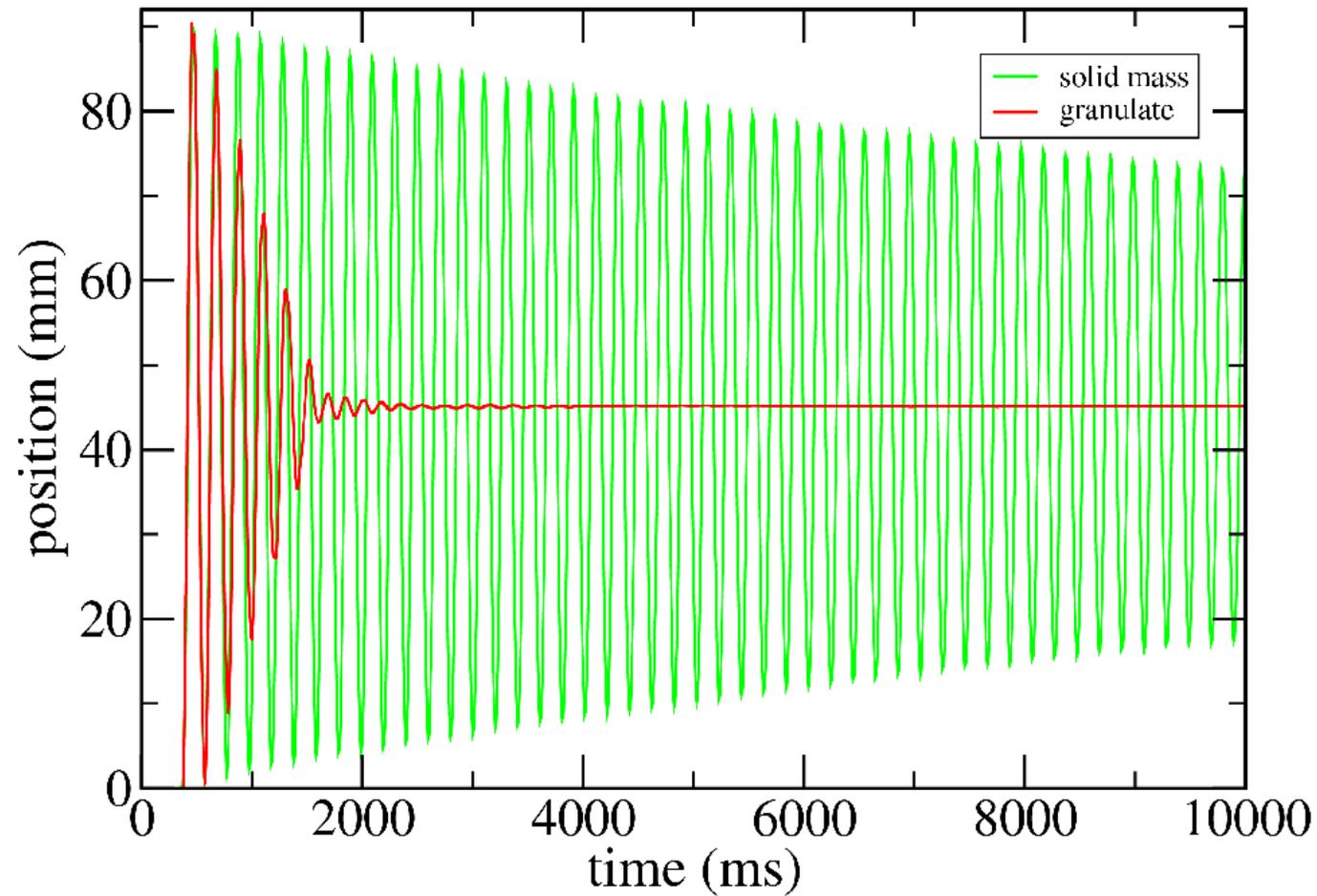
## Parabolic Flight Maneuver



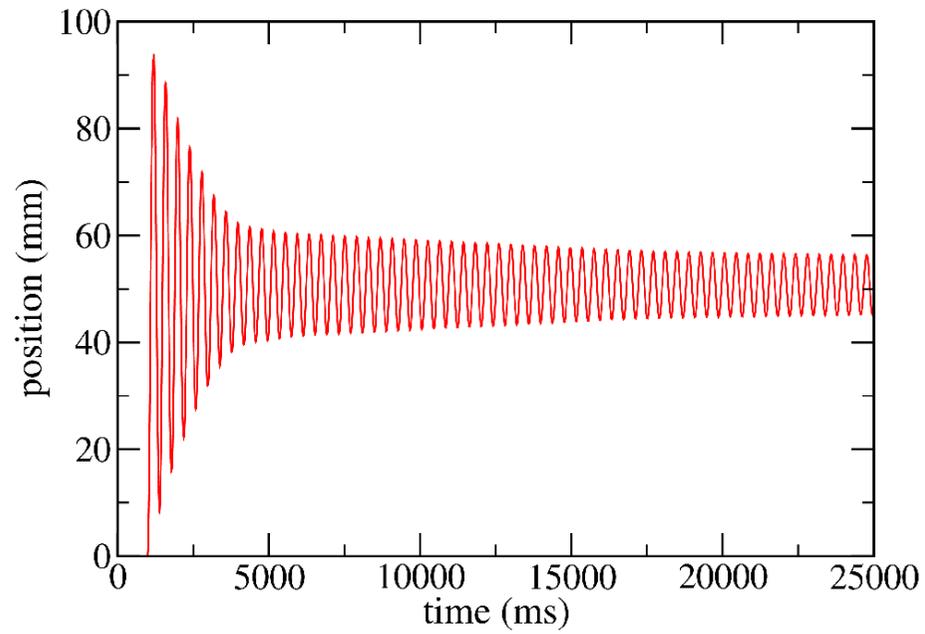
# Microgravity



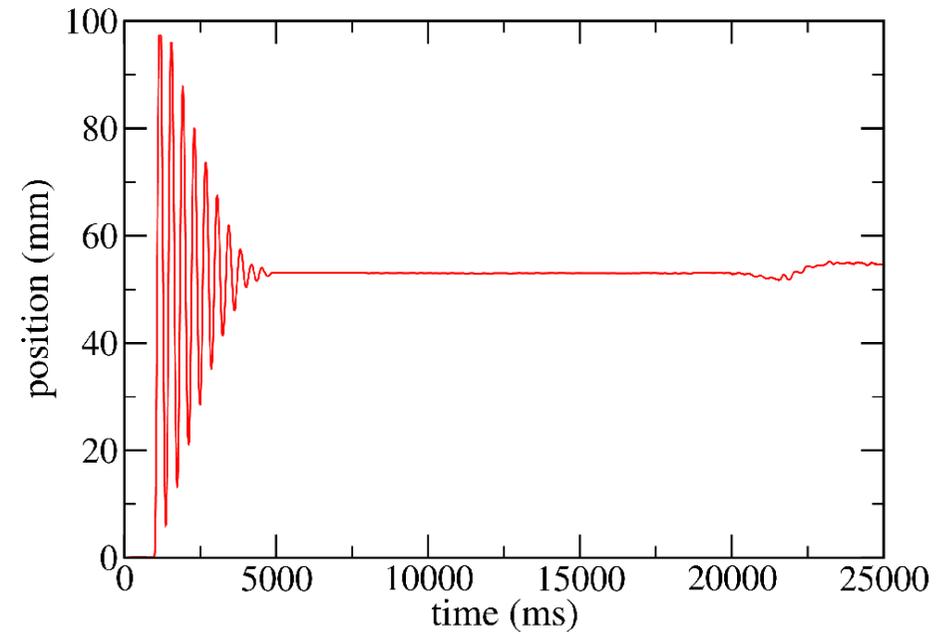
## comparision granulate/solid mass



normal gravity (1g)

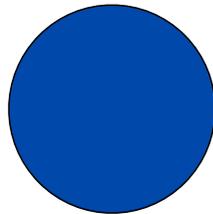


micro gravity ( $\mu\text{g}$ )

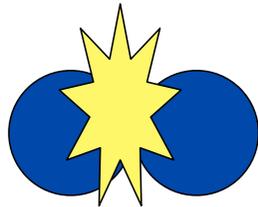




# Simulation



Hard Spheres



Inelastic Collisions

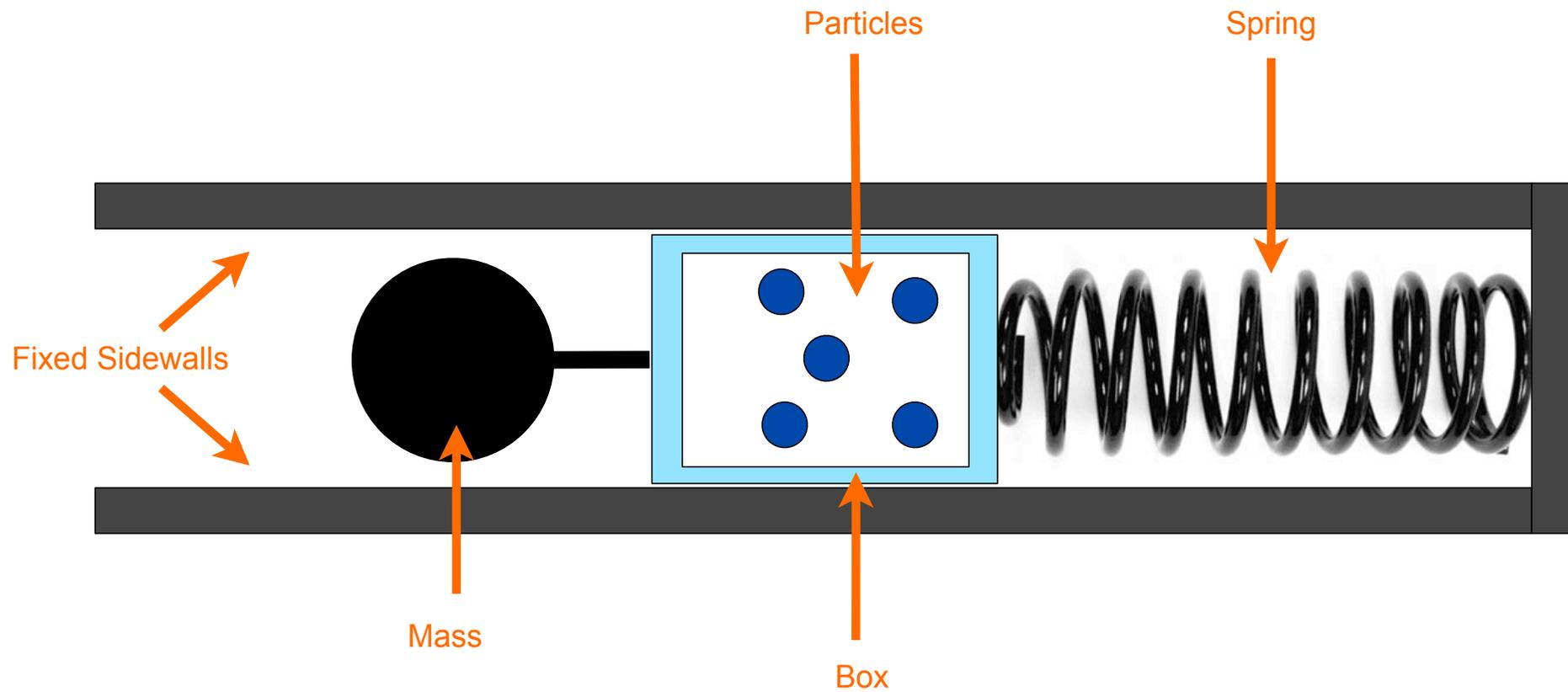


No Rotation



No Gravity

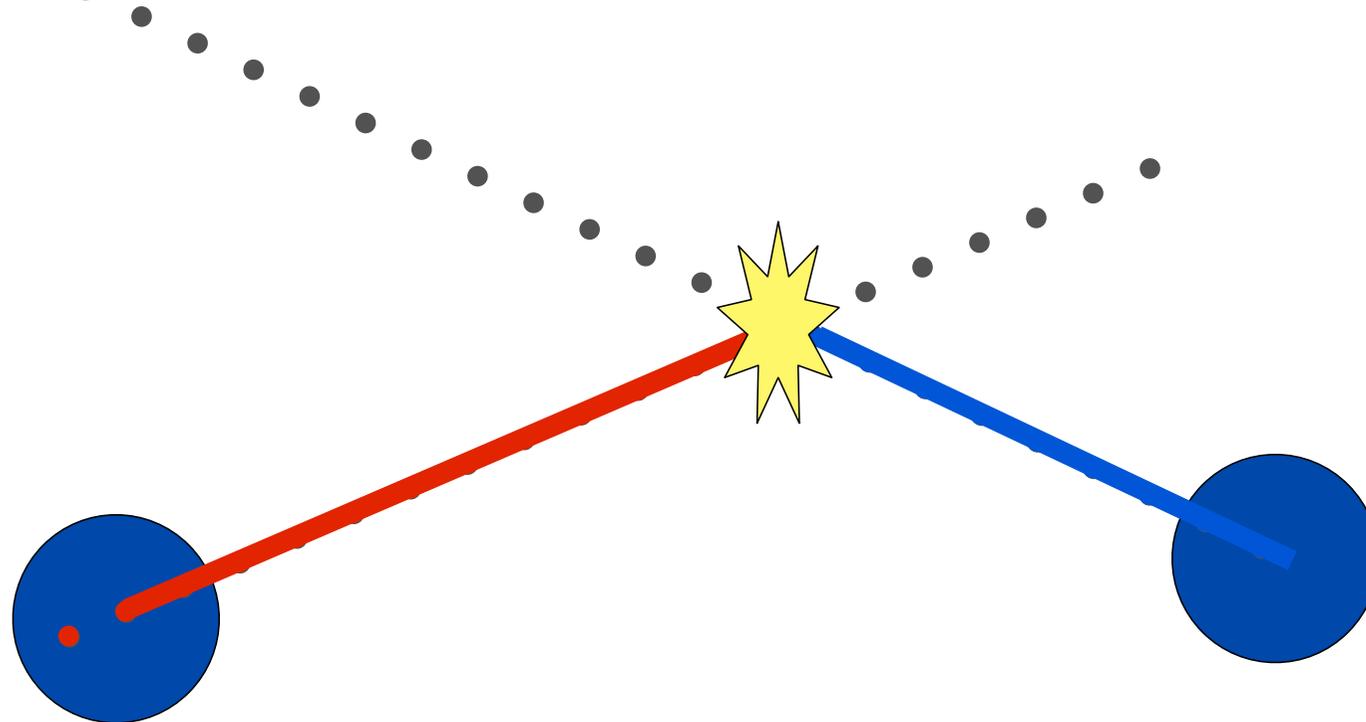
Model



Model

# Event Driven Molecular Dynamics (DEM)

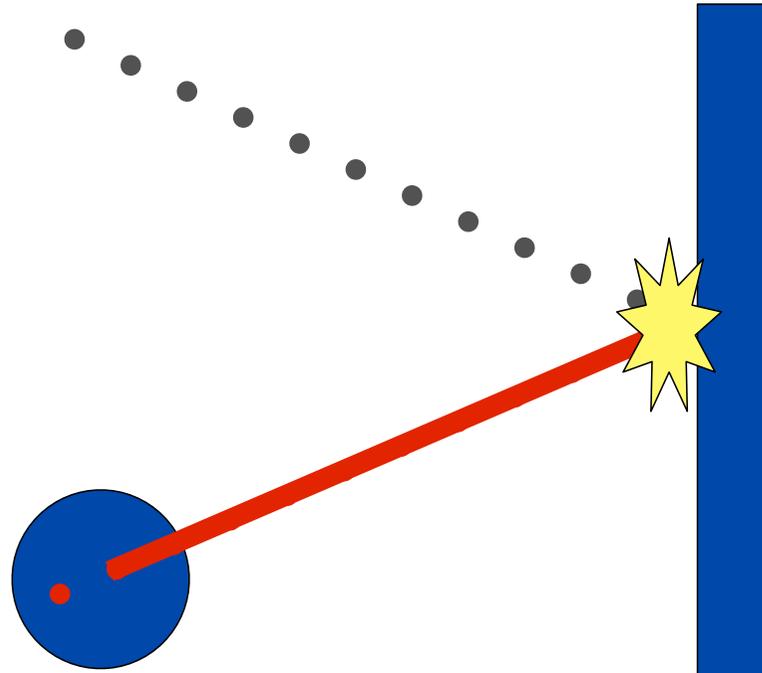
## Particle-Particle Collisions



1. Calculate Intersection of Trajectories
2. Advance Time to Moment of Impact
3. Execute Collision
4. Calculate new Trajectories
5. Repeat

DYNAMO Sim Package

## Particle-Wall Collisions



Conservation of Momentum

Constant Inelasticity



# Parameters

Particle Diameter	<b>10</b>	from experiment
Particle Mass	<b>4.04 g</b>	from experiment
Number of Particles	<b>37</b>	from experiment
Initial Amplitude	<b>107.5 mm</b>	from experiment
Unloaded Frequency	<b>1.23 s<sup>-1</sup></b>	from material parameters
Container Mass	<b>434 g</b>	from experiment
Particle-Particle Inelasticity	<b>0.75</b>	fit
Particle-Wall Inelasticity	<b>0.76</b>	fit

Simulation



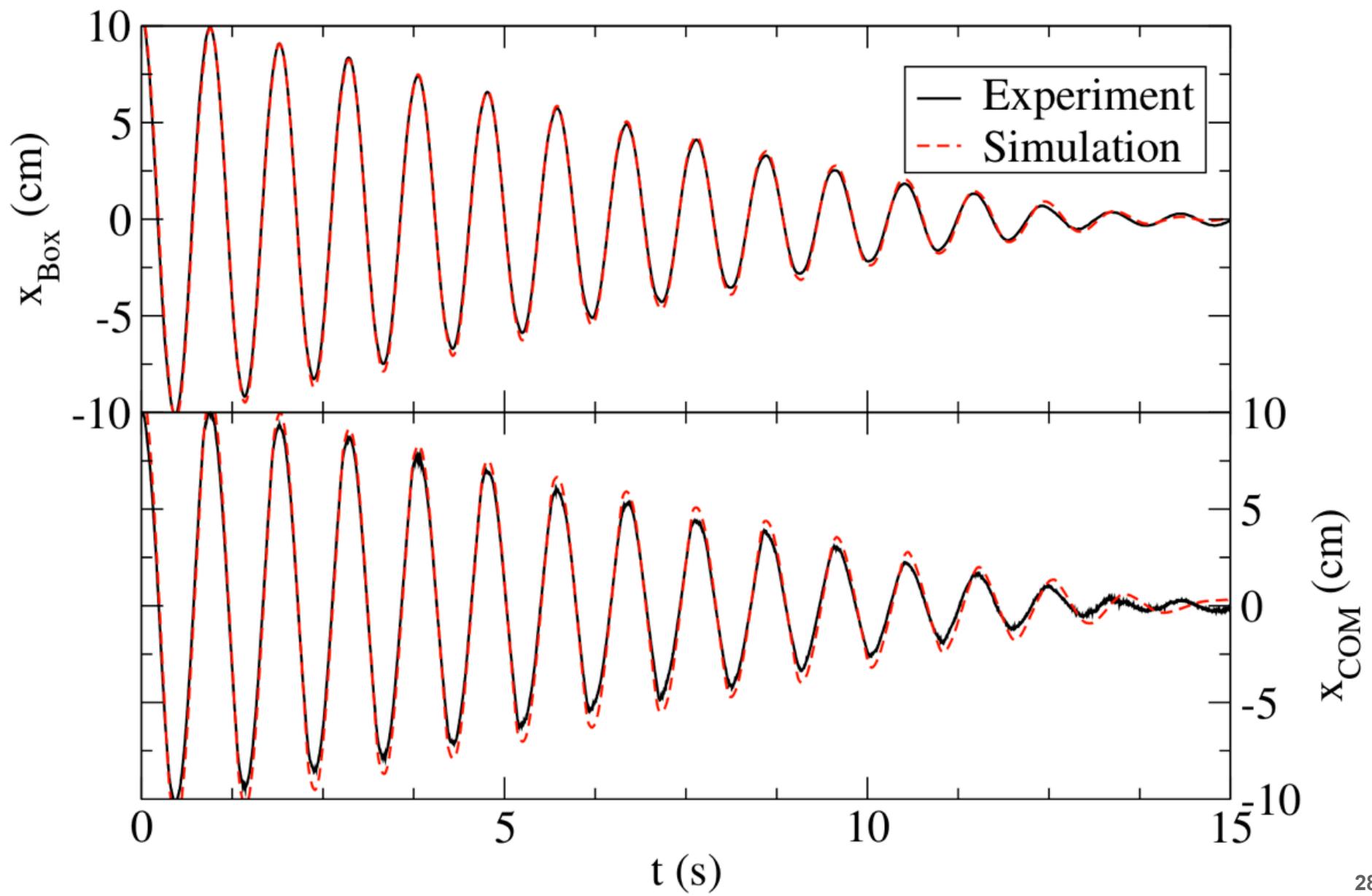
Experiment



# Validation

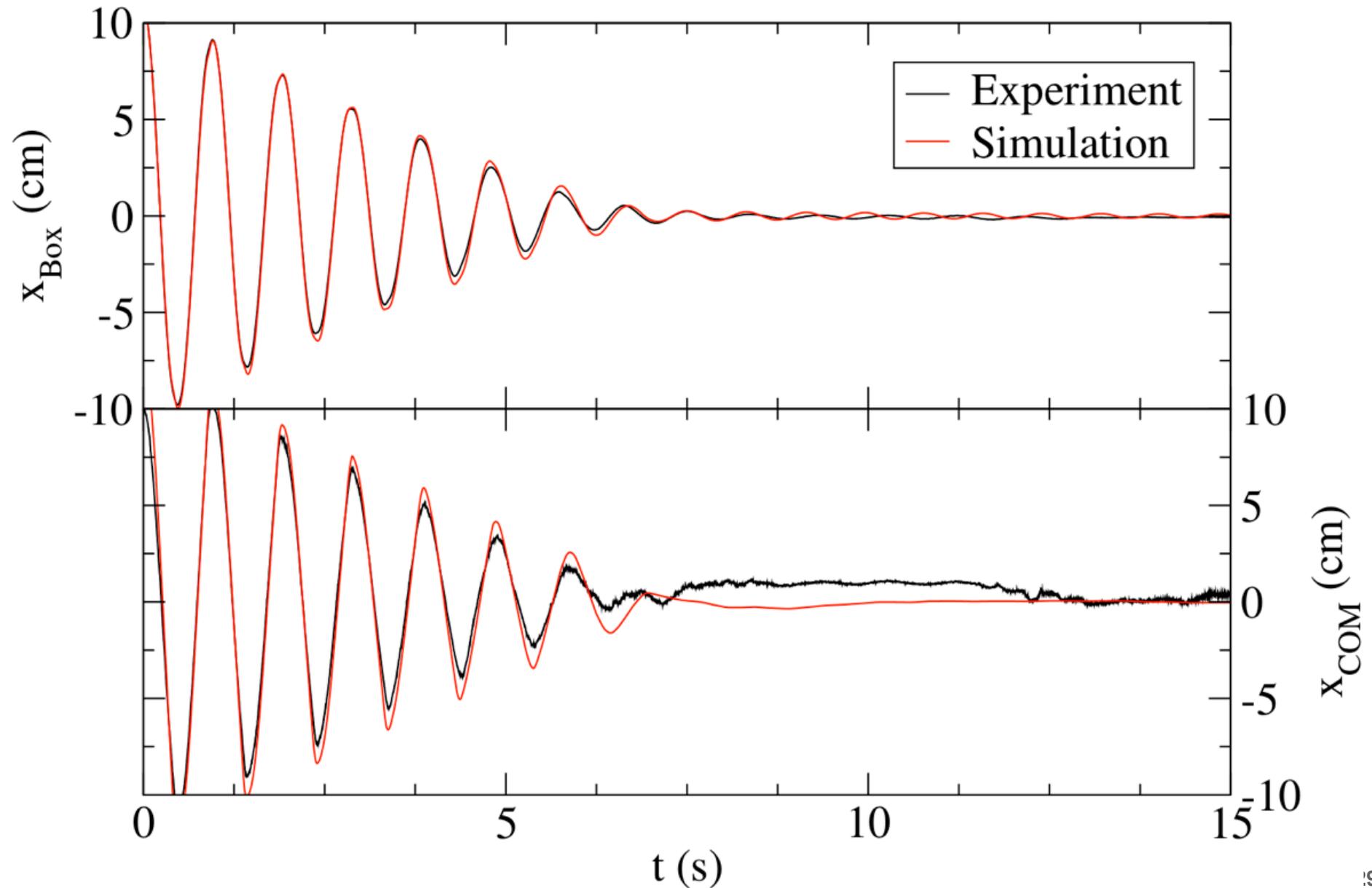
# Dynamics of the 40mm Box with Beads

fit



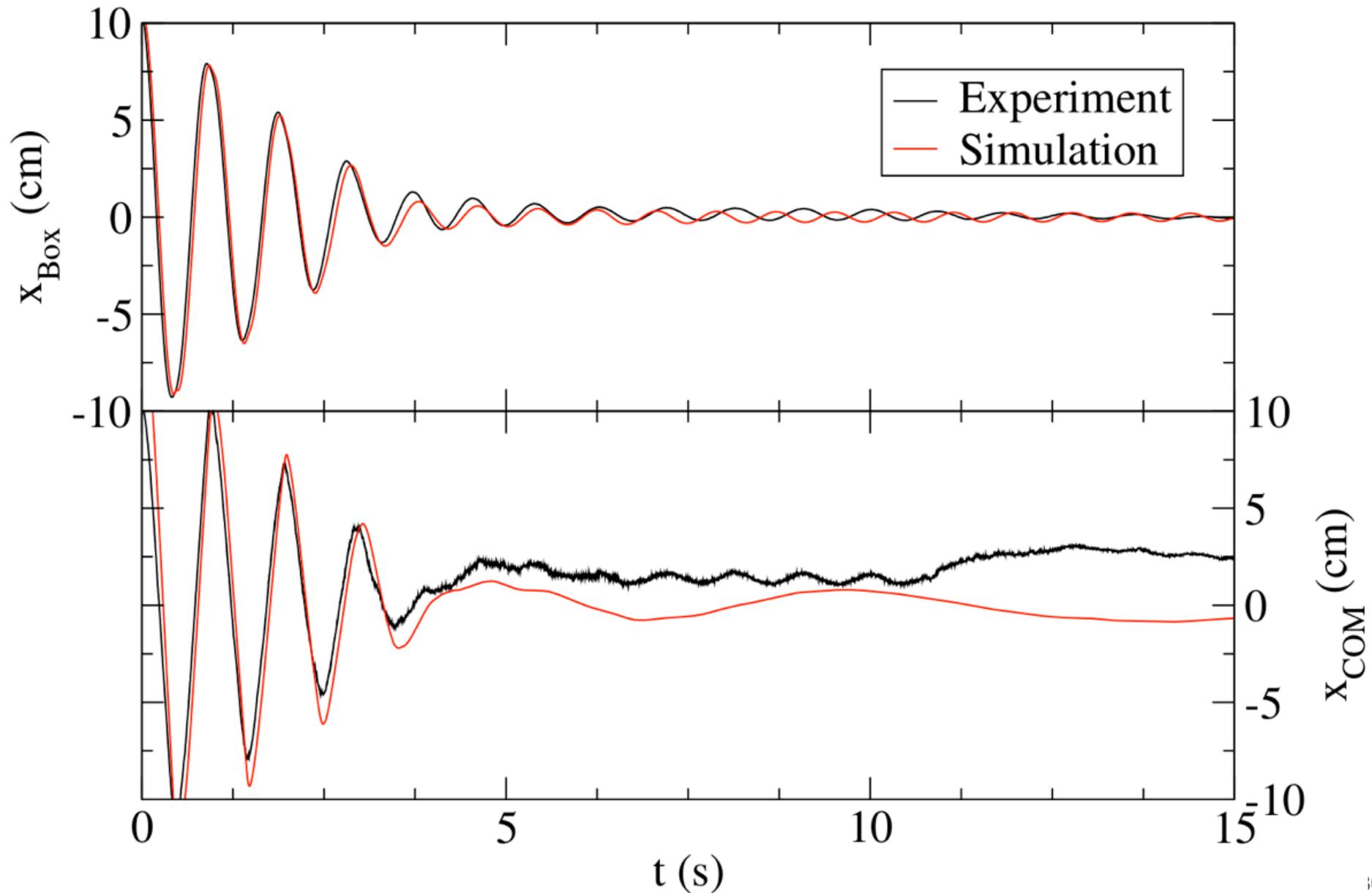
# Dynamics of the 65mm Box with Beads

no fit



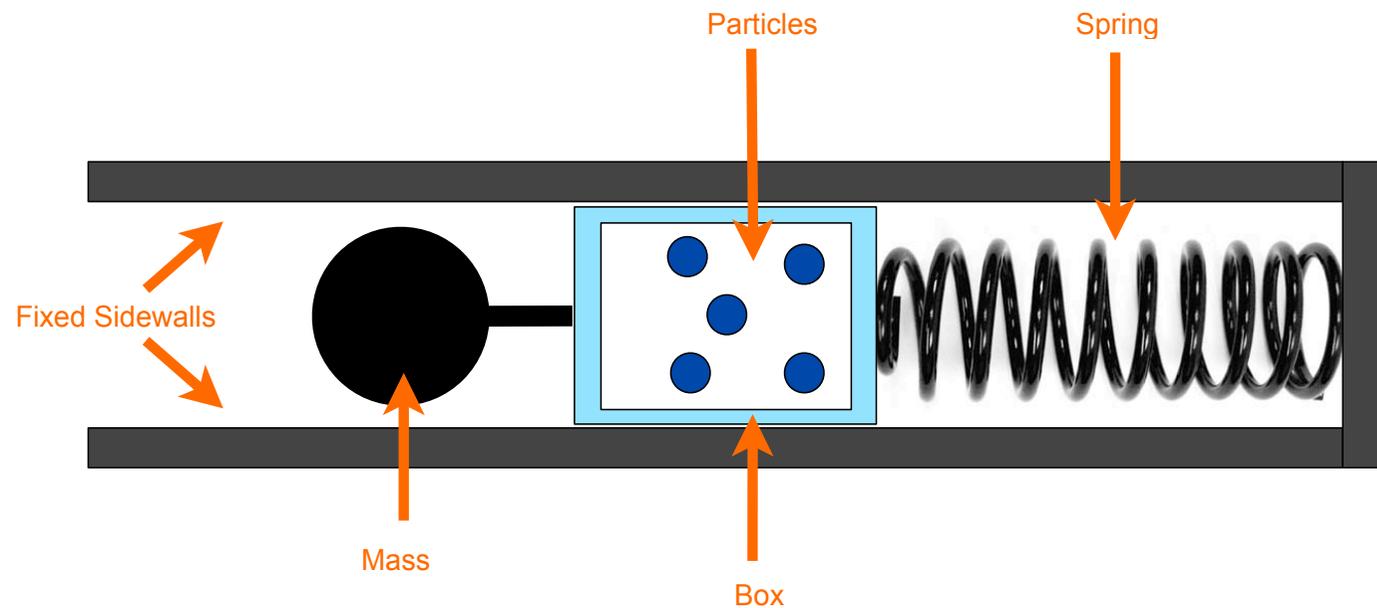
# Dynamics of the 104mm Box with Beads

no fit



# model

-  Hard Spheres
-  Inelastic Collisions
-  No Rotation
-  No Gravity

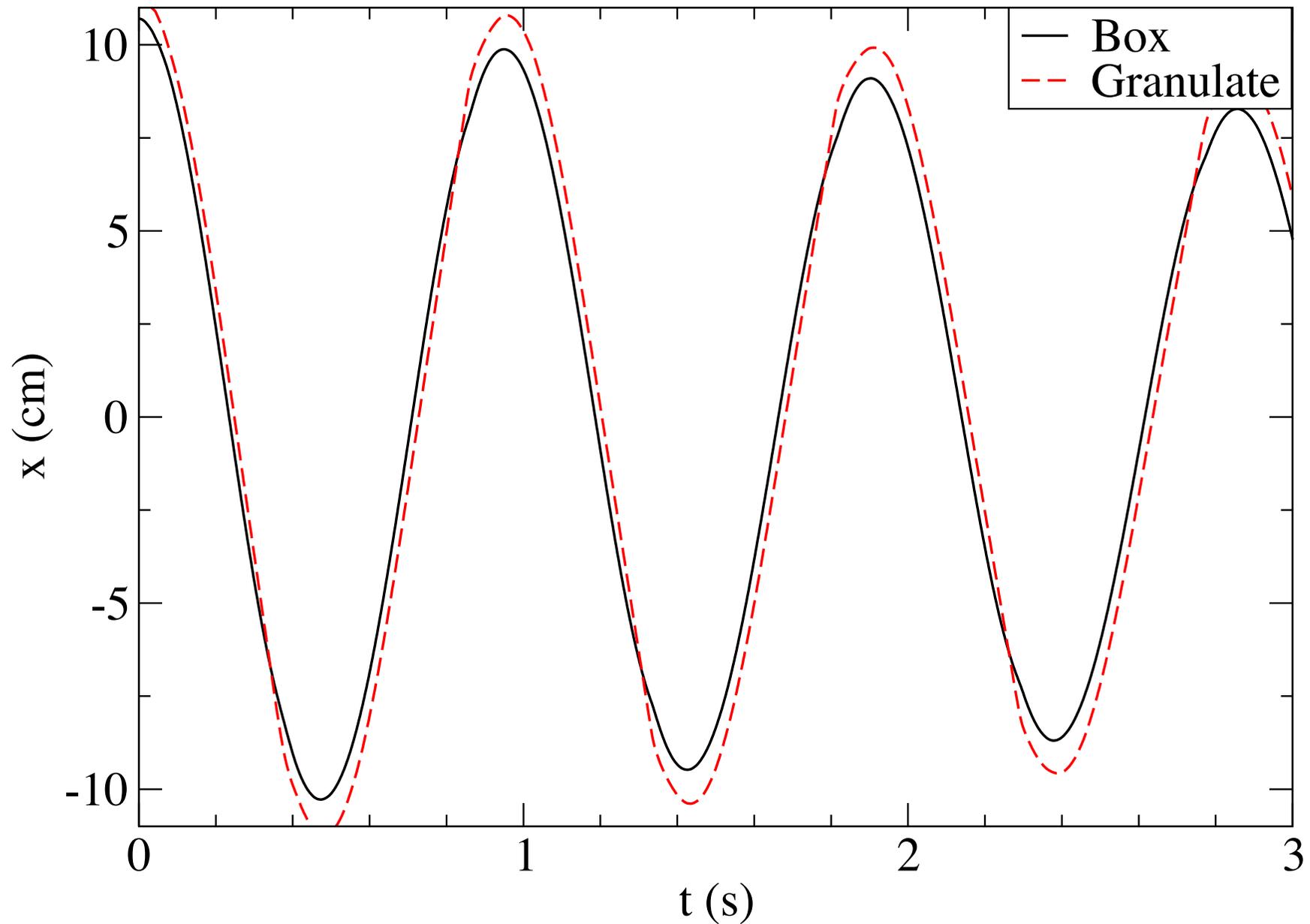


valid in  $\mu g$

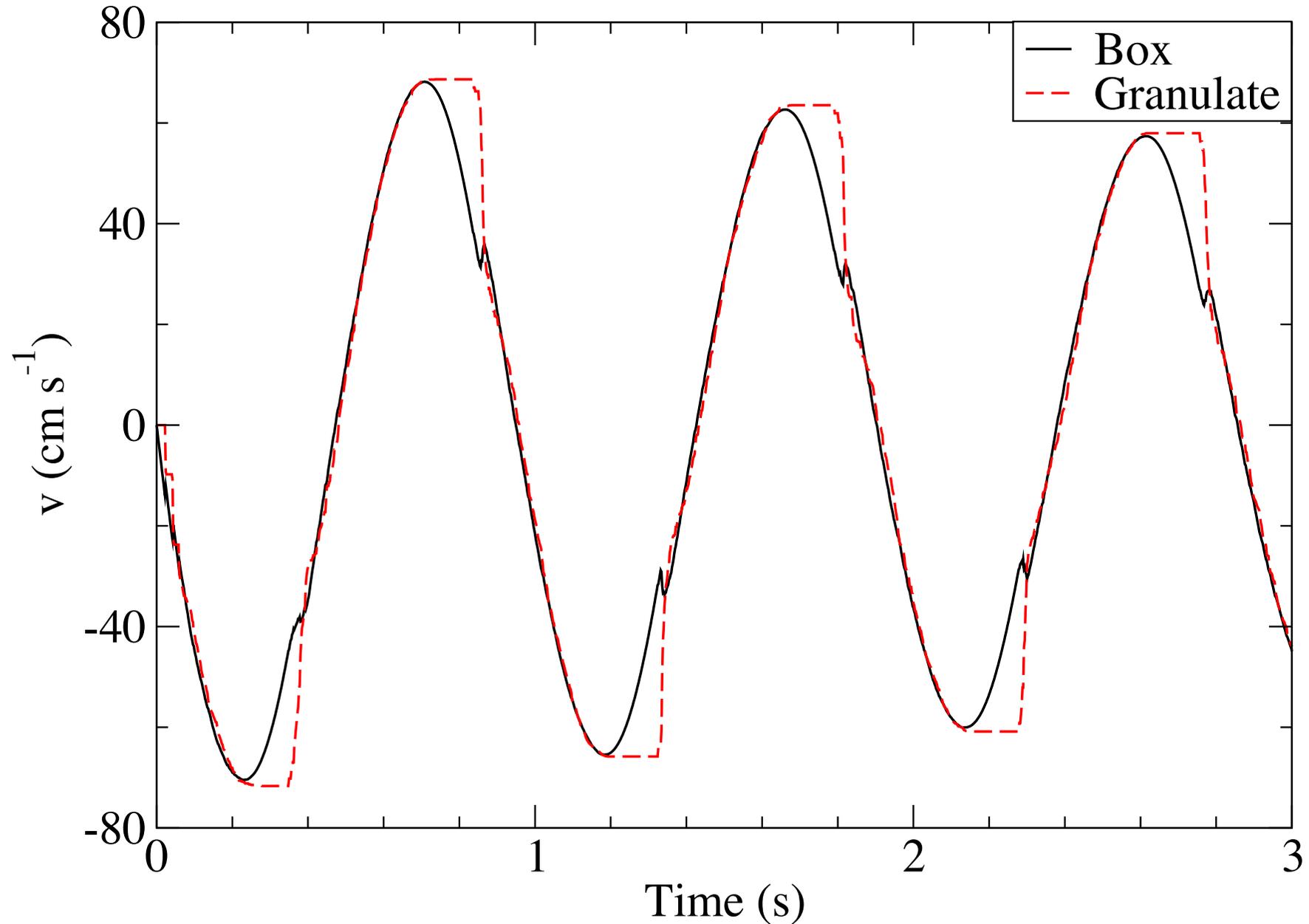


# Optimization

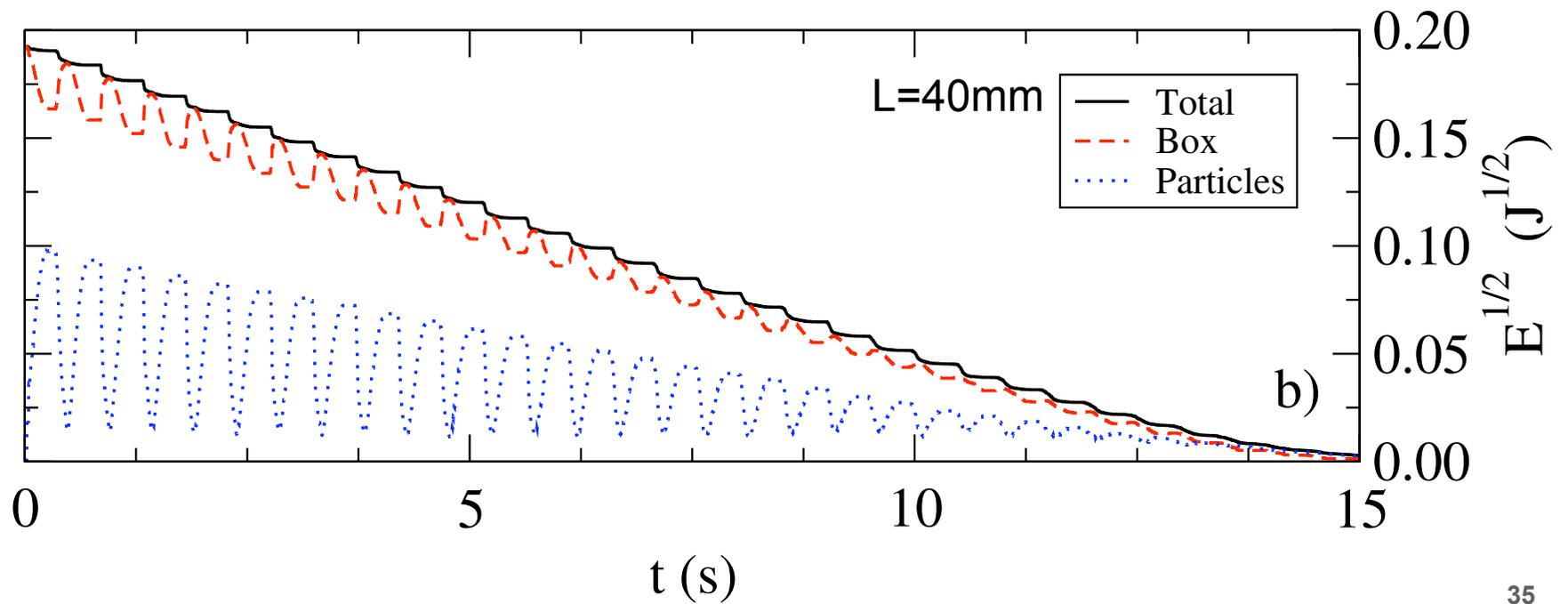
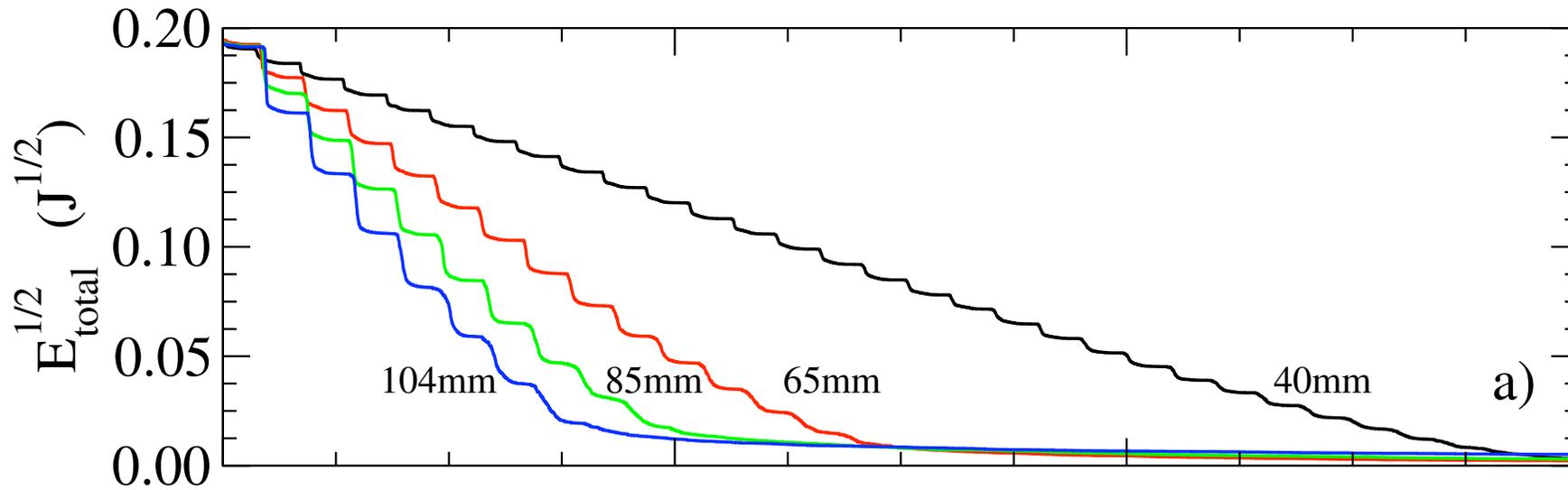
# Phase Shift in Position (40mm Box)



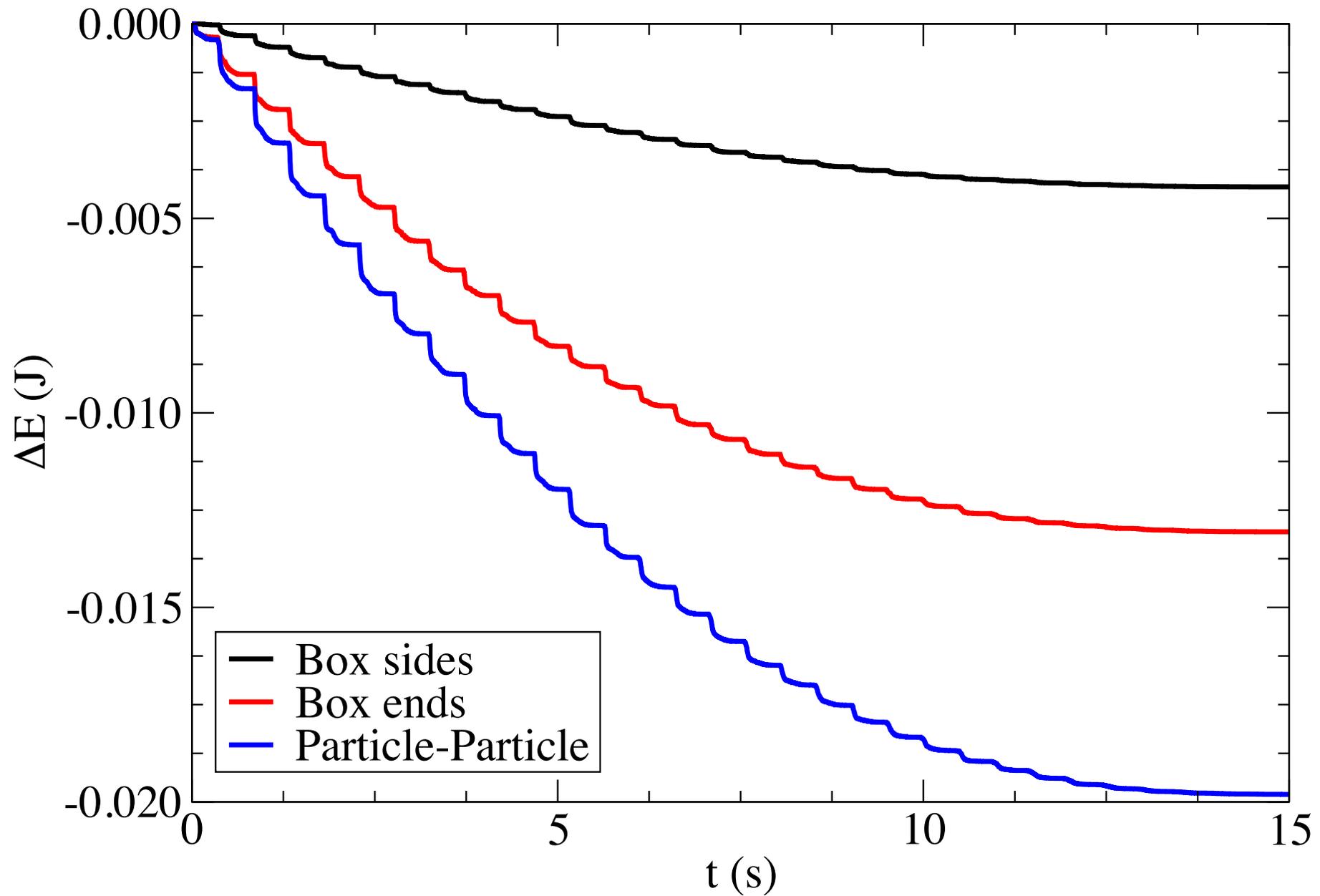
# Phase Shift in Velocity (40mm Box)



# Energy Loss



# Energy Loss (40mm Box)



# Coefficient of Restitution

$$\Delta E = \frac{m_1 m_2}{2(m_1 + m_2)} (1 - \epsilon^2) (\hat{r}_{12} \cdot [\vec{v}_1 - \vec{v}_2])^2$$

Energy Loss

Particle Masses

Coefficient of Restitution

Relative Velocity

# Simple Analytical Model for Optimisation

## Particle Cluster as Single Mass

## Harmonic Box Motion

$$L_{opt} = \pi \Delta_0 \sqrt{\frac{M}{M + Nm}} + \sigma_{layer}$$

Optimal Box Length

Initial Amplitude

Number of Particles

Mass of One Particle

Mass of Box

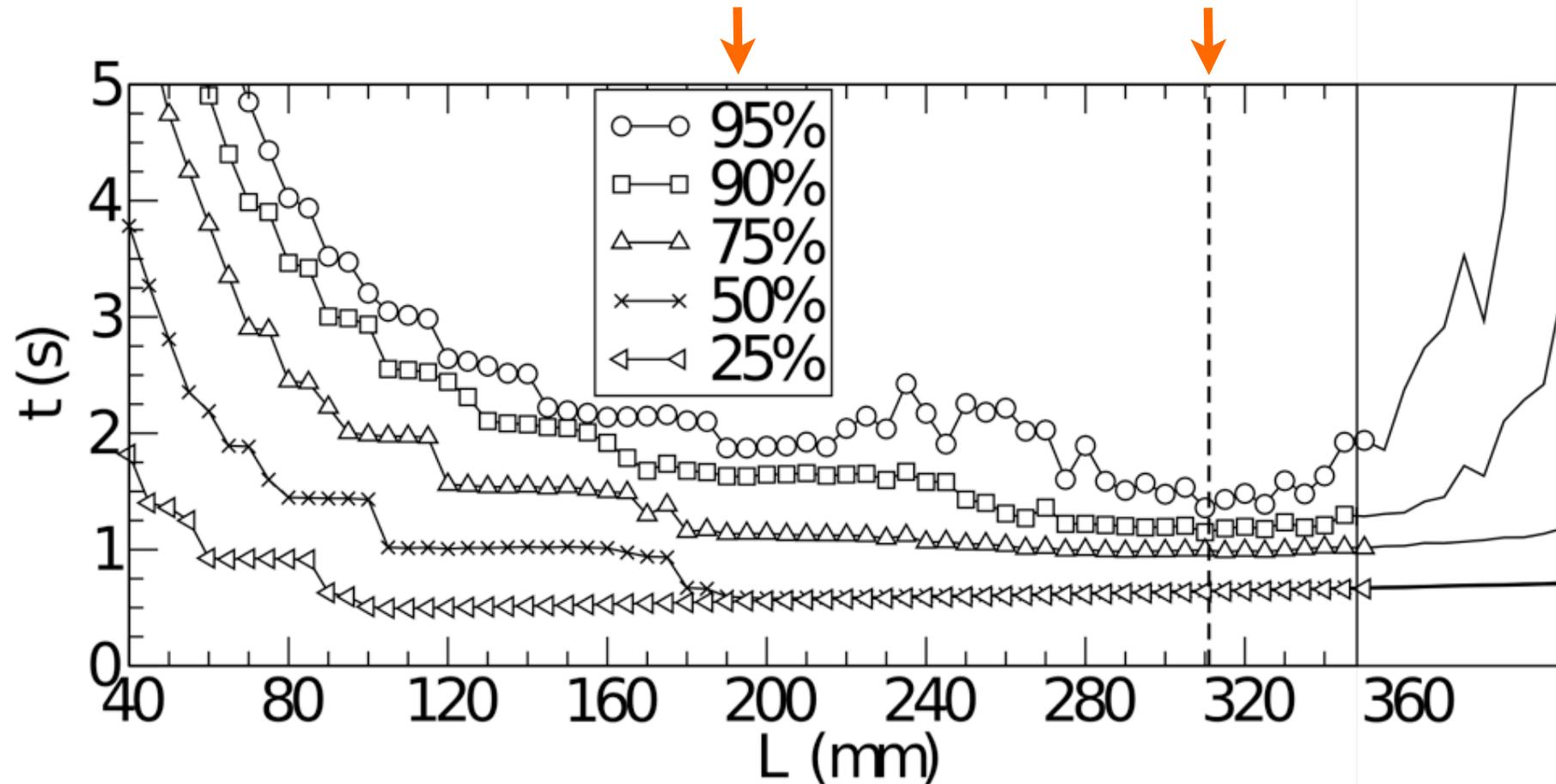
Size of Particle Cluster

independent of frequency!

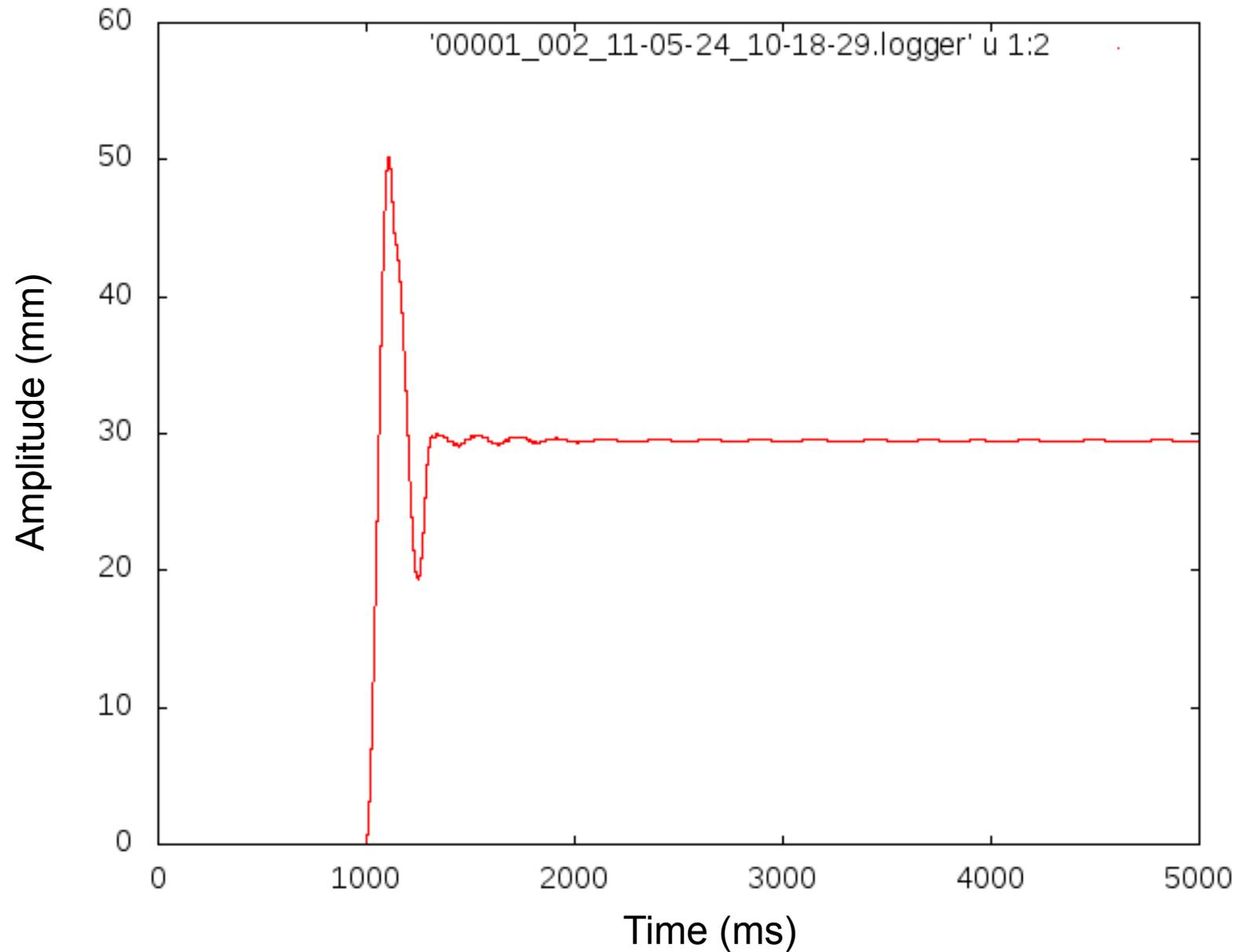
# Test

ammount of initial energy dissipated

predicted optimal box length



# Real Test





# Phenomenological Model

linear decay in amplitude reminds of  
friction-damped oscillator:

$$M_{tot} \ddot{x} = -k x - \mu M_{tot} \operatorname{sgn}(\dot{x})$$

↑  
total mass
↓  
position
↑  
constant friction force

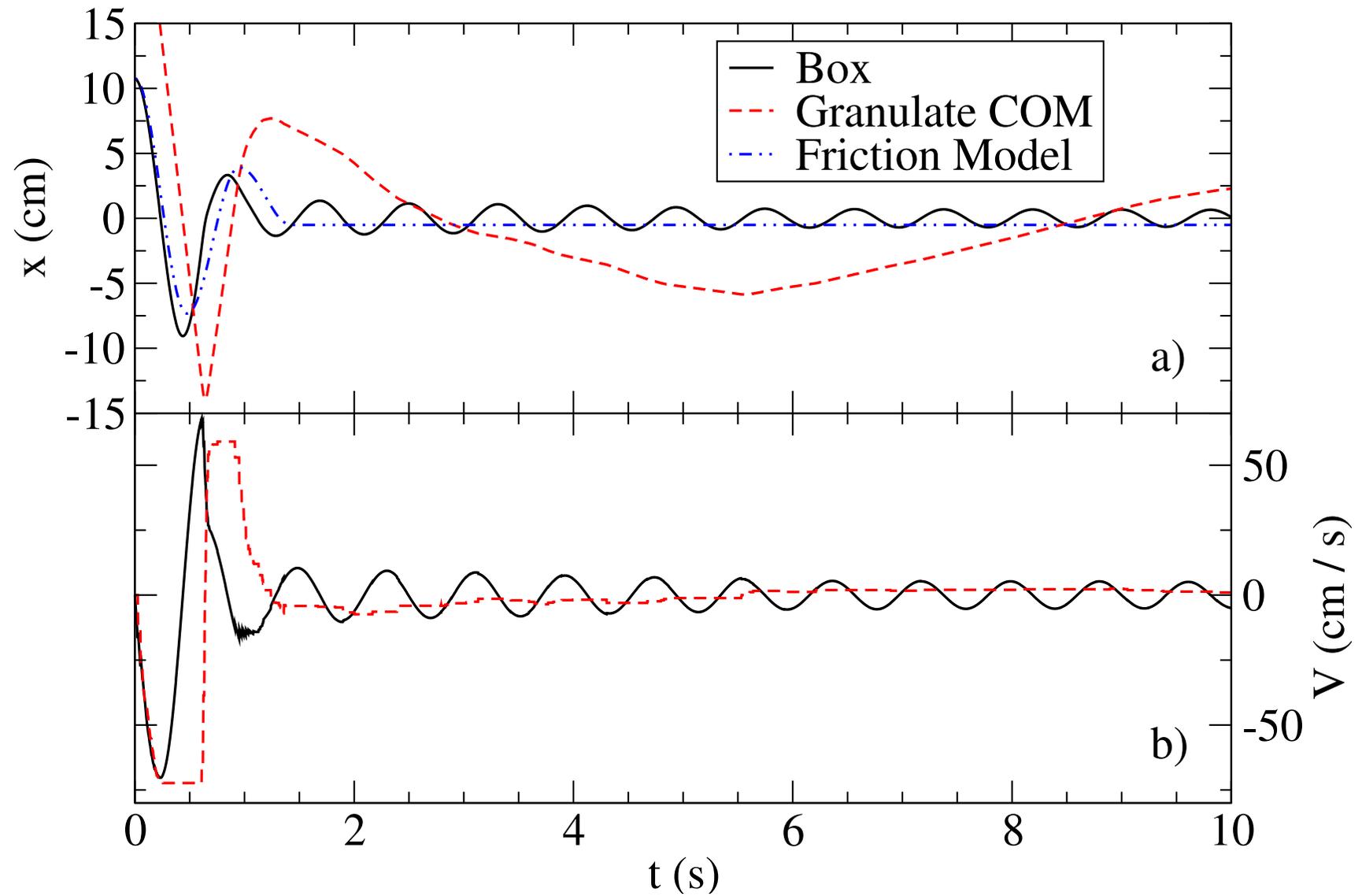
- assumes constant damping

## + characterize damper through effective frictional force

$$\mu M_{tot} = \frac{k (\Delta_0 - |x_n|)}{2n + 1 - (-1)^{2n}}$$

↑ index of amplitude peak

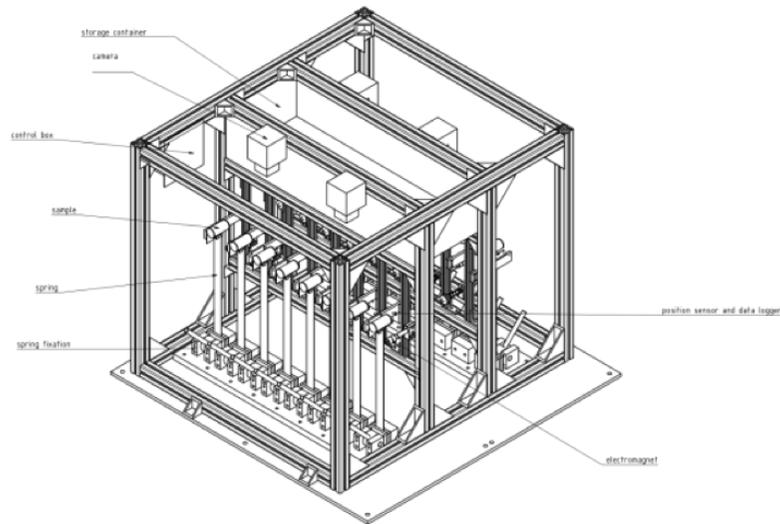
↓ absolute oscillator displacement for nth peak



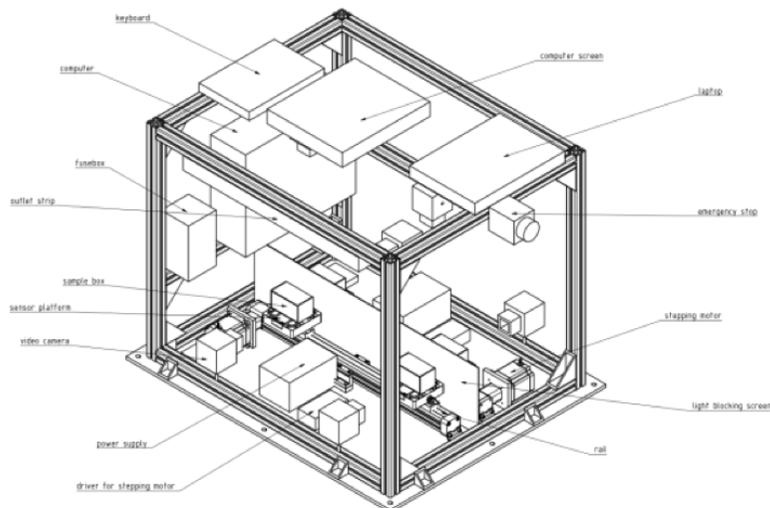


# Outlook

# More Experiments



16 springs simultaneously  
measures decay times



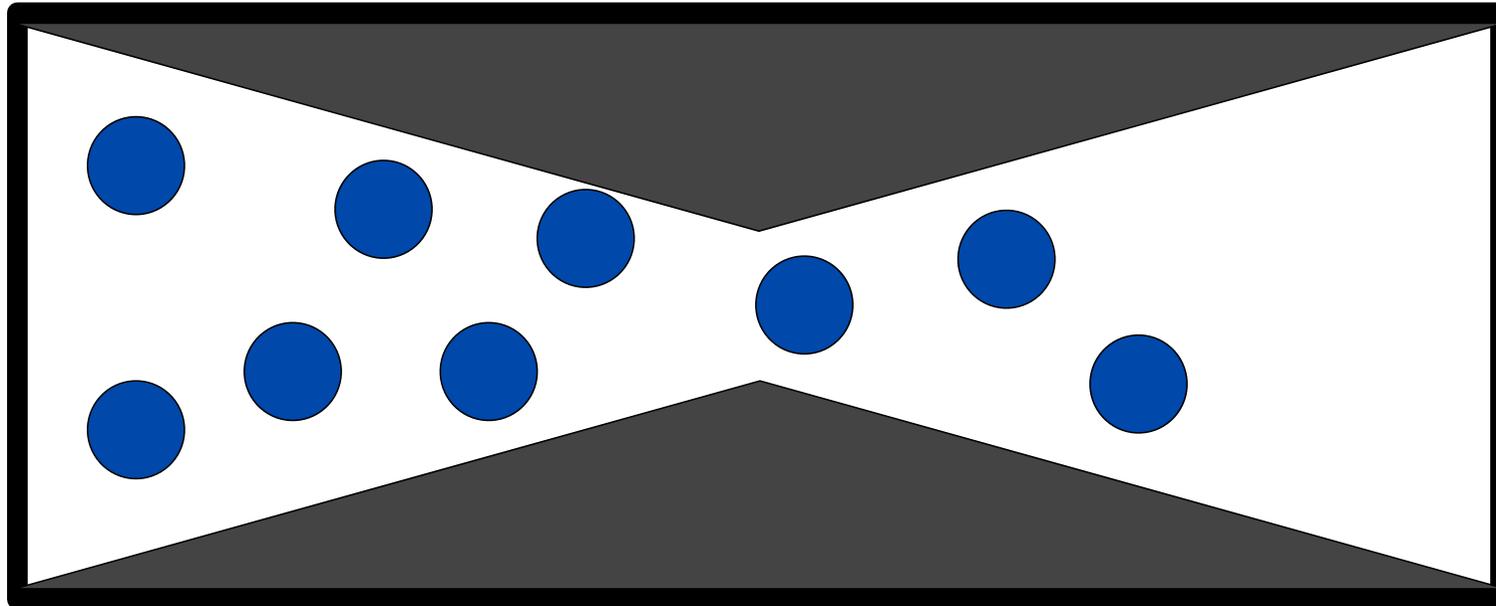
forced shaking

measures force needed  
to drive system on a  
given trajectory

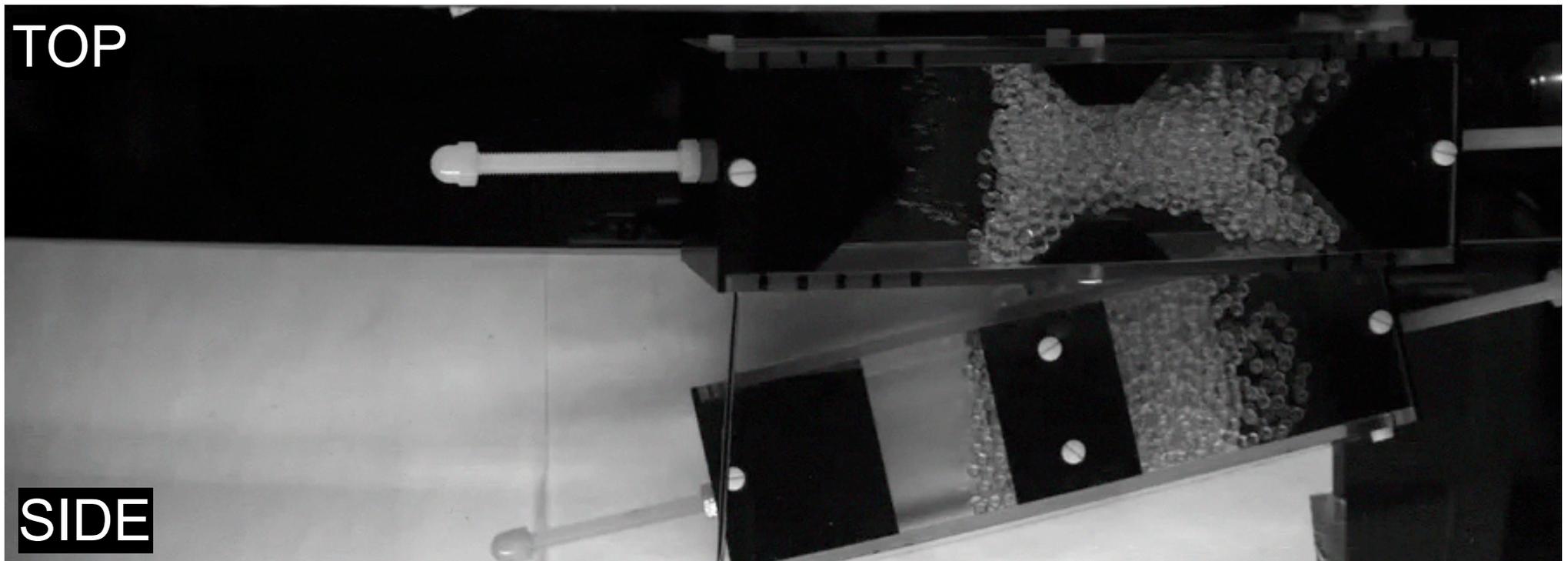
# Outlook: Forced Shaking



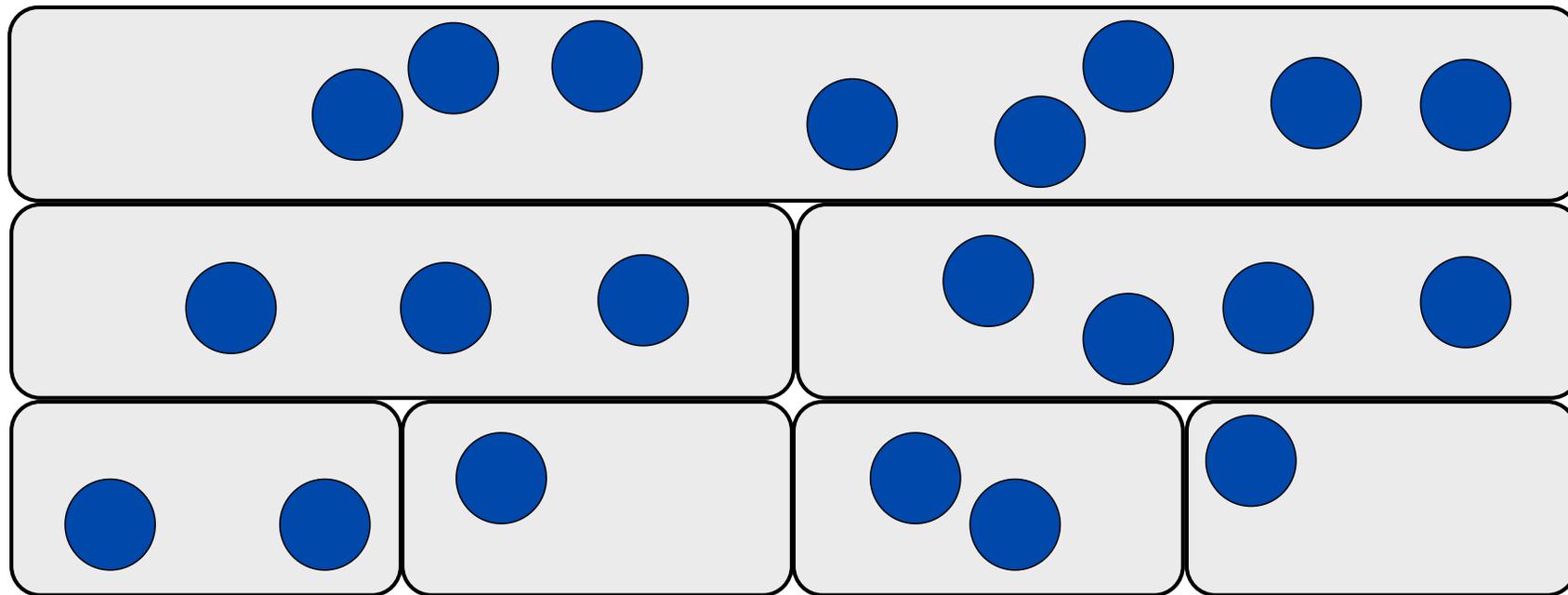
# Outlook: Different Geometry



## Outlook: Different Geometry



# Outlook: Self Damping Materials



## Extra Slide: Electrostatics



## Conclusions

controlled experiments on granular dampers in  $\mu g$   
simple hard sphere model & EDMD compare well to exp.  
no frequency dependence  
prediction for optimal length  
linear decay in amplitude like in friction damping

Further reading: “Movers and shakers: Granular damping in microgravity”  
(Accepted, PRE 2011)

## Thanks